

DELAY LOOP

and

COMBINER RING DESIGN

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CTF3 REVIEW – 2-3 October 2001, CERN

OUTLOOK

- **General considerations**

- **Combiner ring**

Parameters

Optics design

Path length tuning

Isochronicity

Orbit/trajectory correction

- **Delay loop**

Parameters

Optics design (A and B)

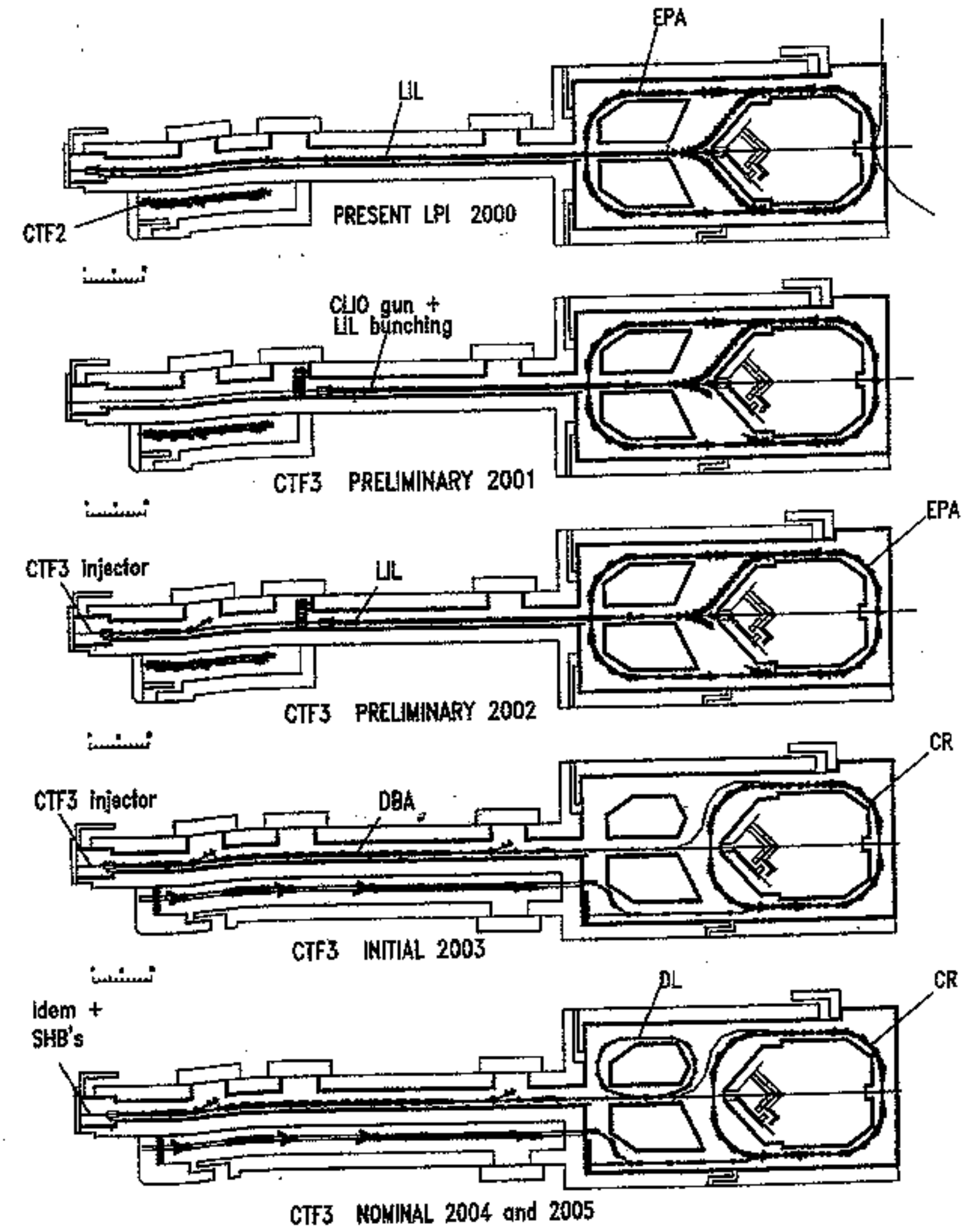
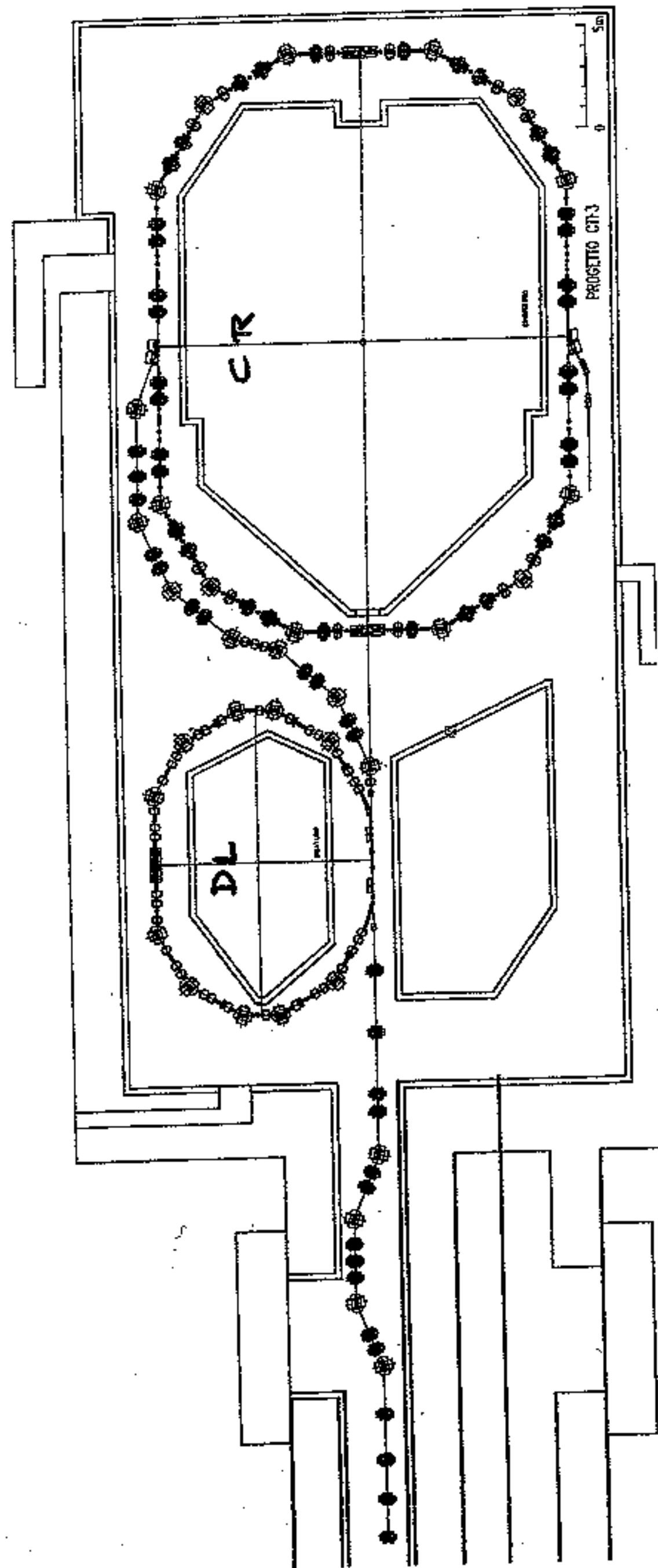
TL Matching

Isochronicity

- **Work in progress**

CR as storage ring

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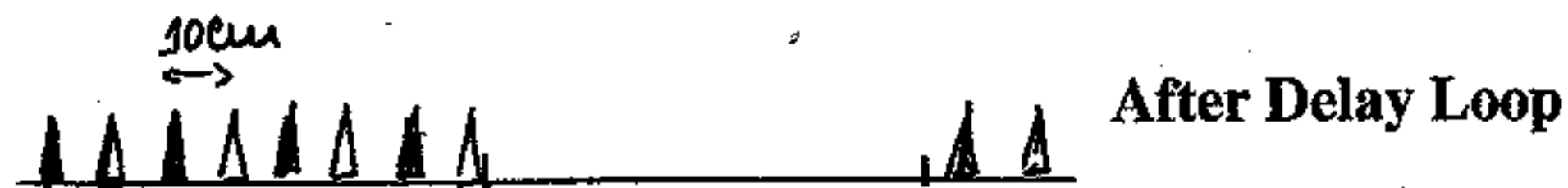
From LPI to CTF3

DBA = Drive Beam Accelerator
CR = Combiner Ring
DL = Delay Loop
SHB = Sub Harmonic Buncher

Drive Beam

High current in short bunches, low energy

Energy (MeV)	180 – 350
Emittance (mm mrad)	1 – 0.5
Bunch length (mm)	1
Bunch charge (nC)	2.3 – 1.0



1-
5
8
1

Frequency multiplication must keep the bunch structure (longitudinal and transverse)

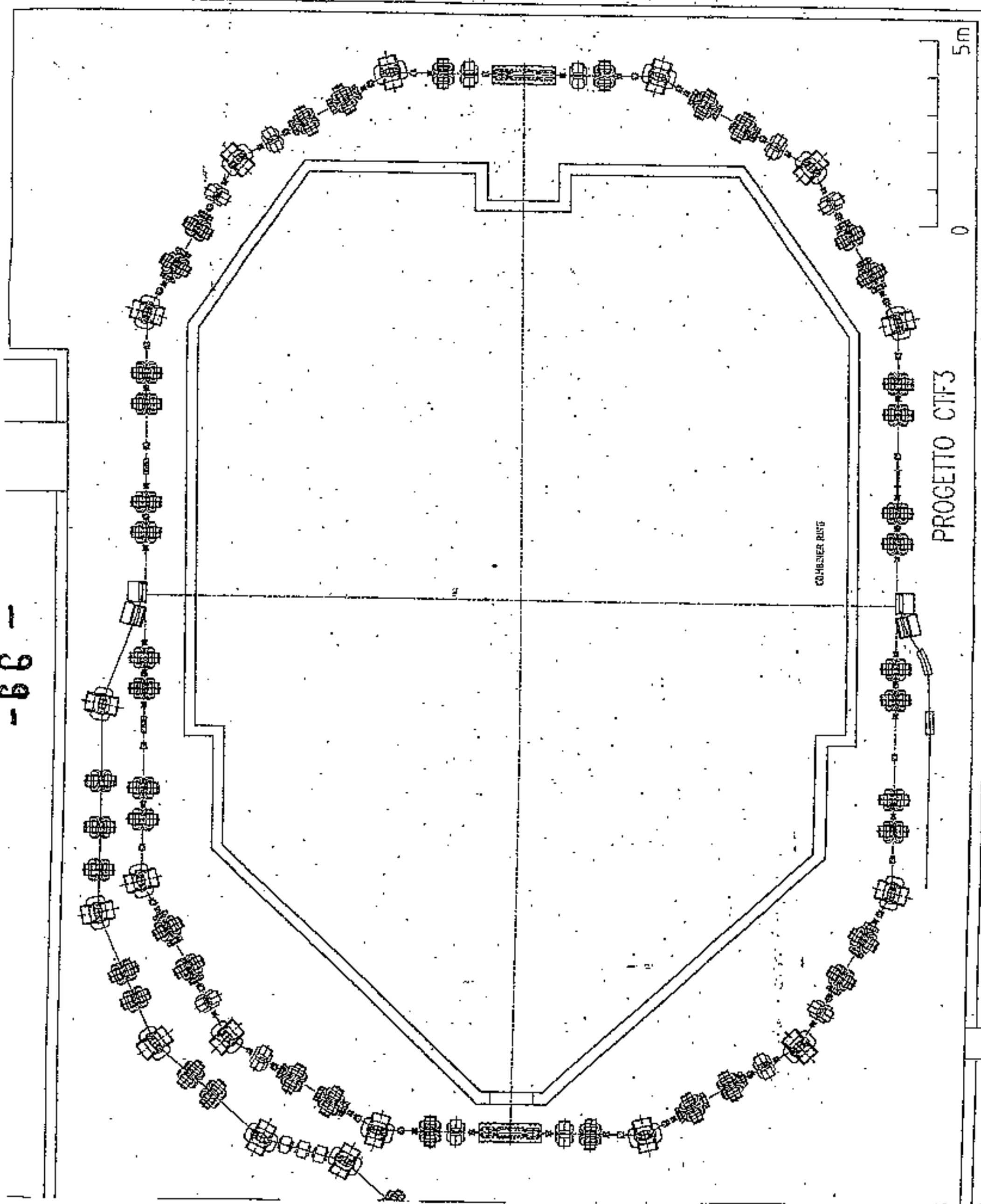
Control of bunch length +
possibility of modifying it (to deal with CSR)

Isochronicity
Tunable R_{56}
Stretcher and compressors

Path length tuning

Linac frequency
Wigglers

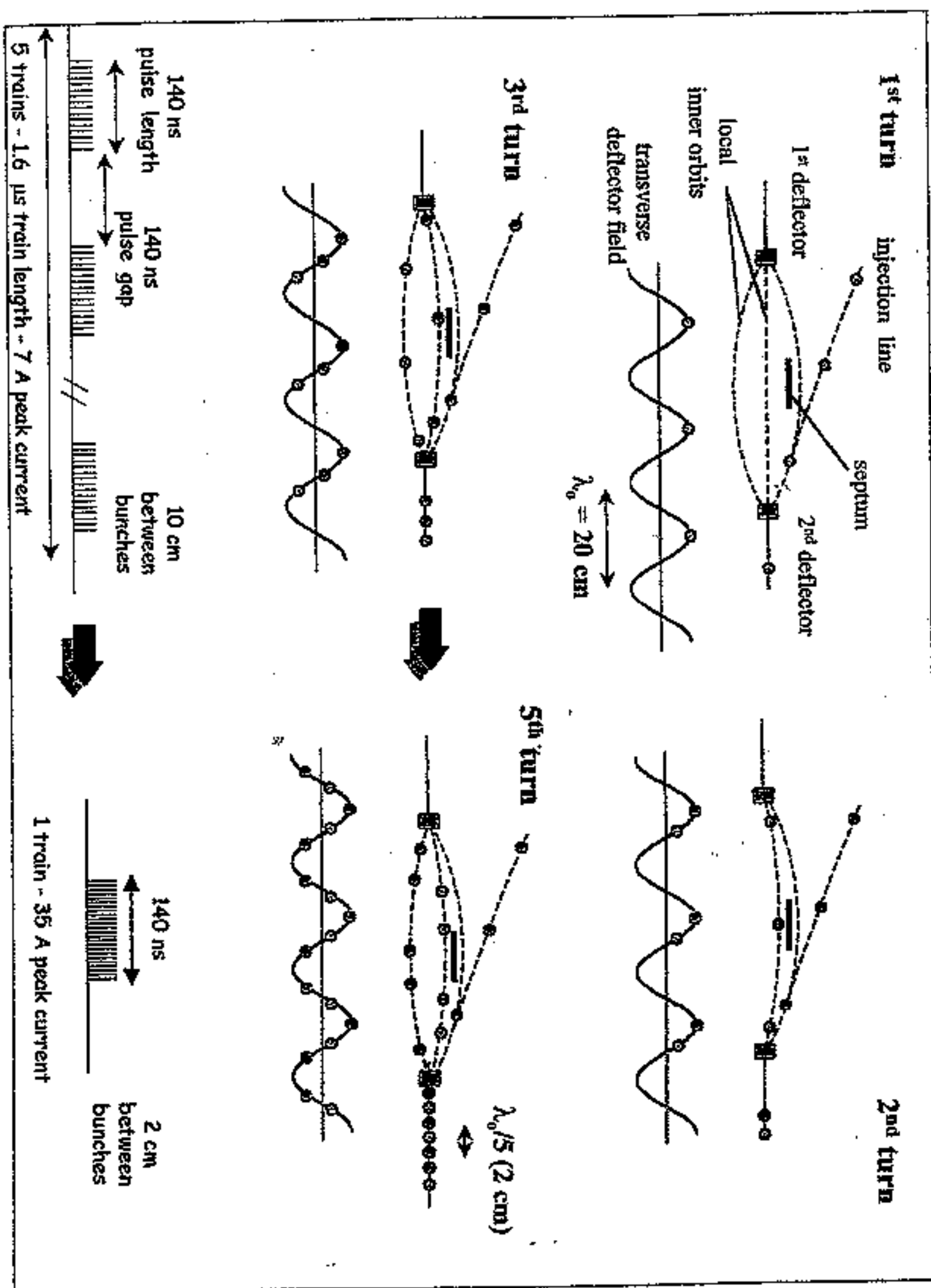
Space constraints +
reusing when possible existing hardware, design
material and documentation



COMBINER RING

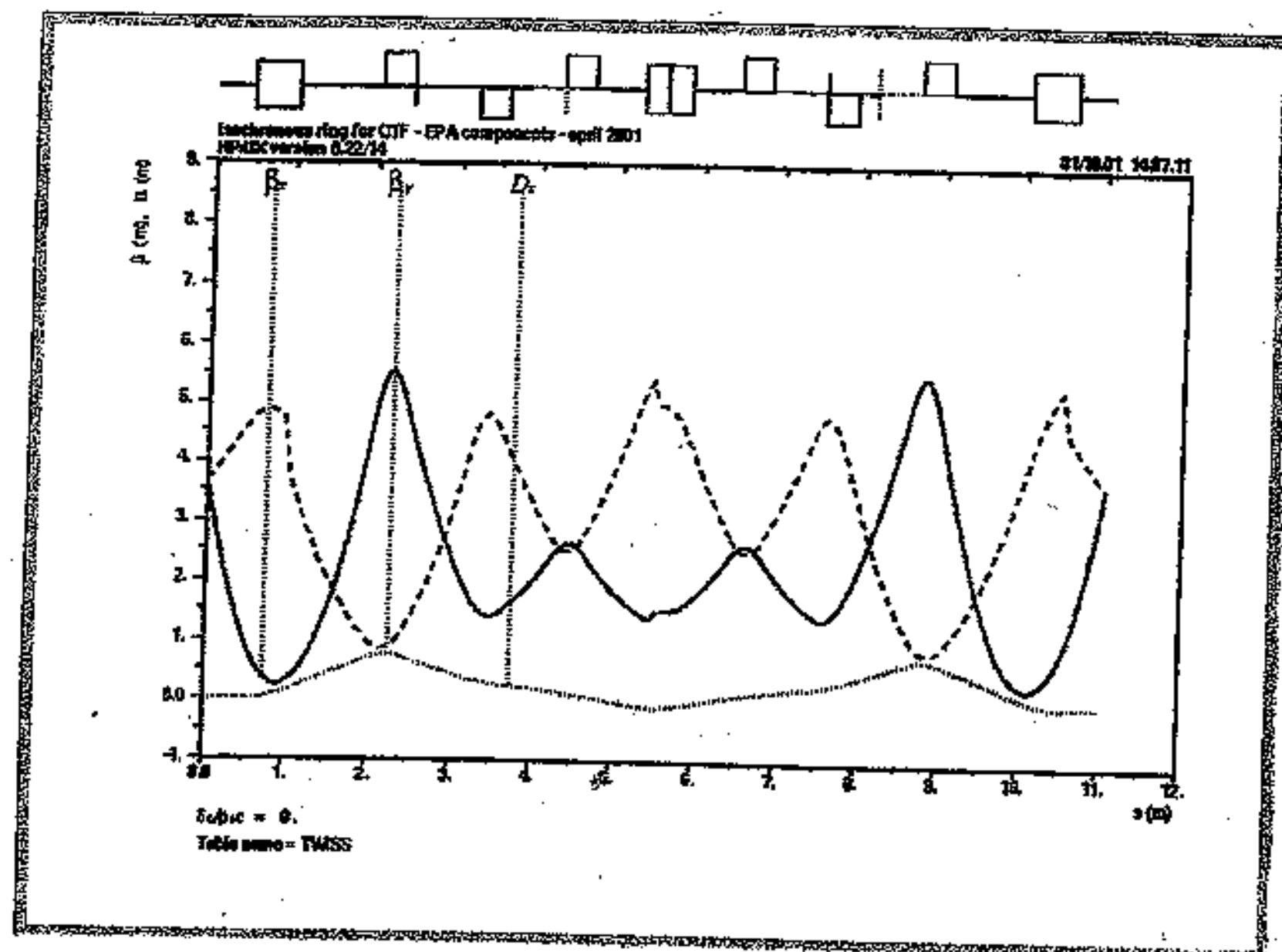
COMBINER RING PARAMETERS

Energy (MeV)	180/350
Bp (T m)	0.60/1.17
Circumference (m)	84.0
No. Cells	4
Max. beta (m) (H/V)	11.1/11.1
Max. Dispersion (m)	0.72
Betatron Tune (H/V)	7.23/4.14
Chromaticity (H/V)	-12.0/ -8.8
Momentum compaction	$<10^{-4}$
Horizontal emittance (mm mrad)	1.0/0.5
Vertical emittance (mm mrad)	1.0/0.5
Energy spread (%)	± 1
Energy acceptance (%)	± 2.5



Principle of x5 bunch frequency multiplication in the CR

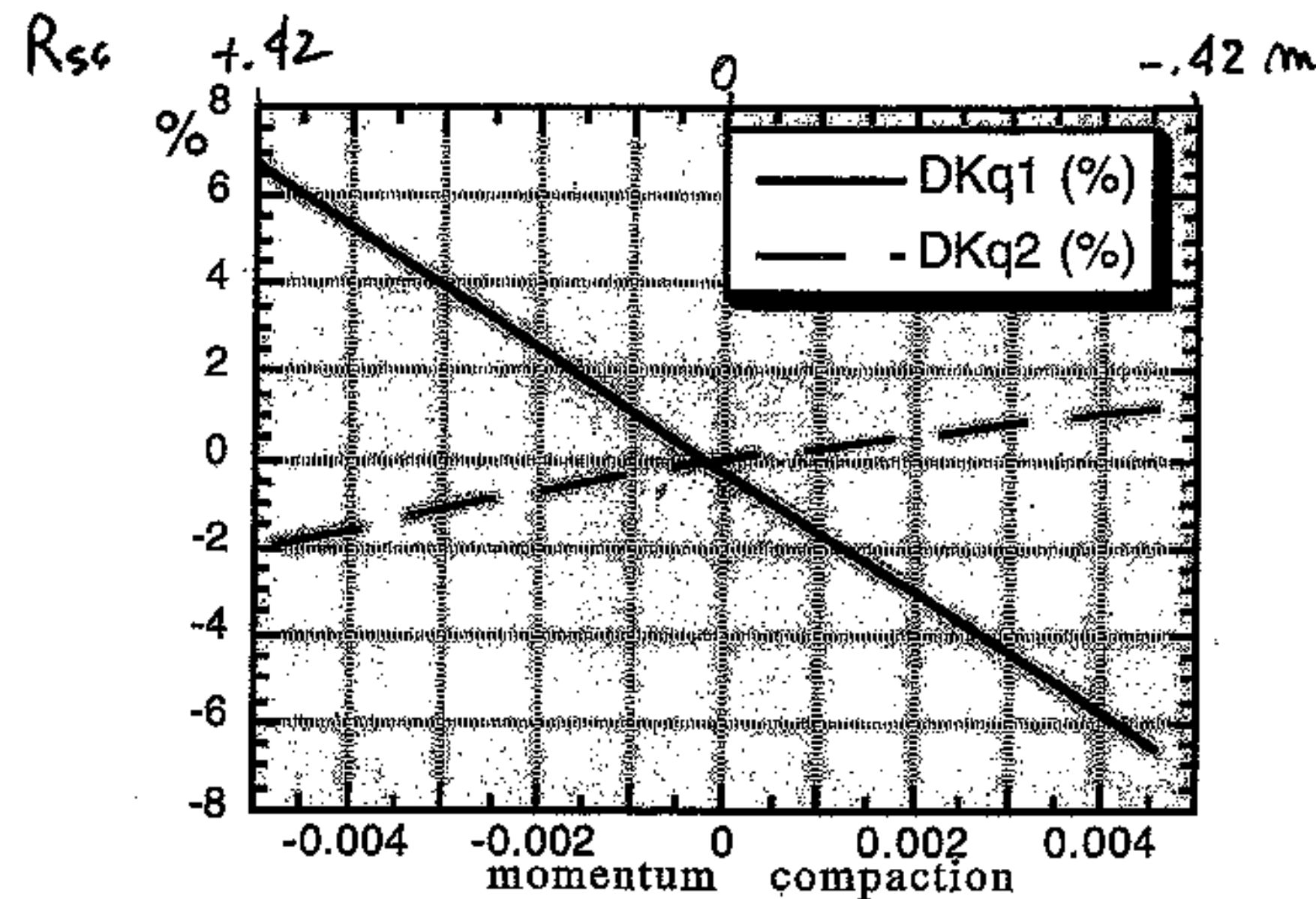
Isochronous arc (three-bends achromat)

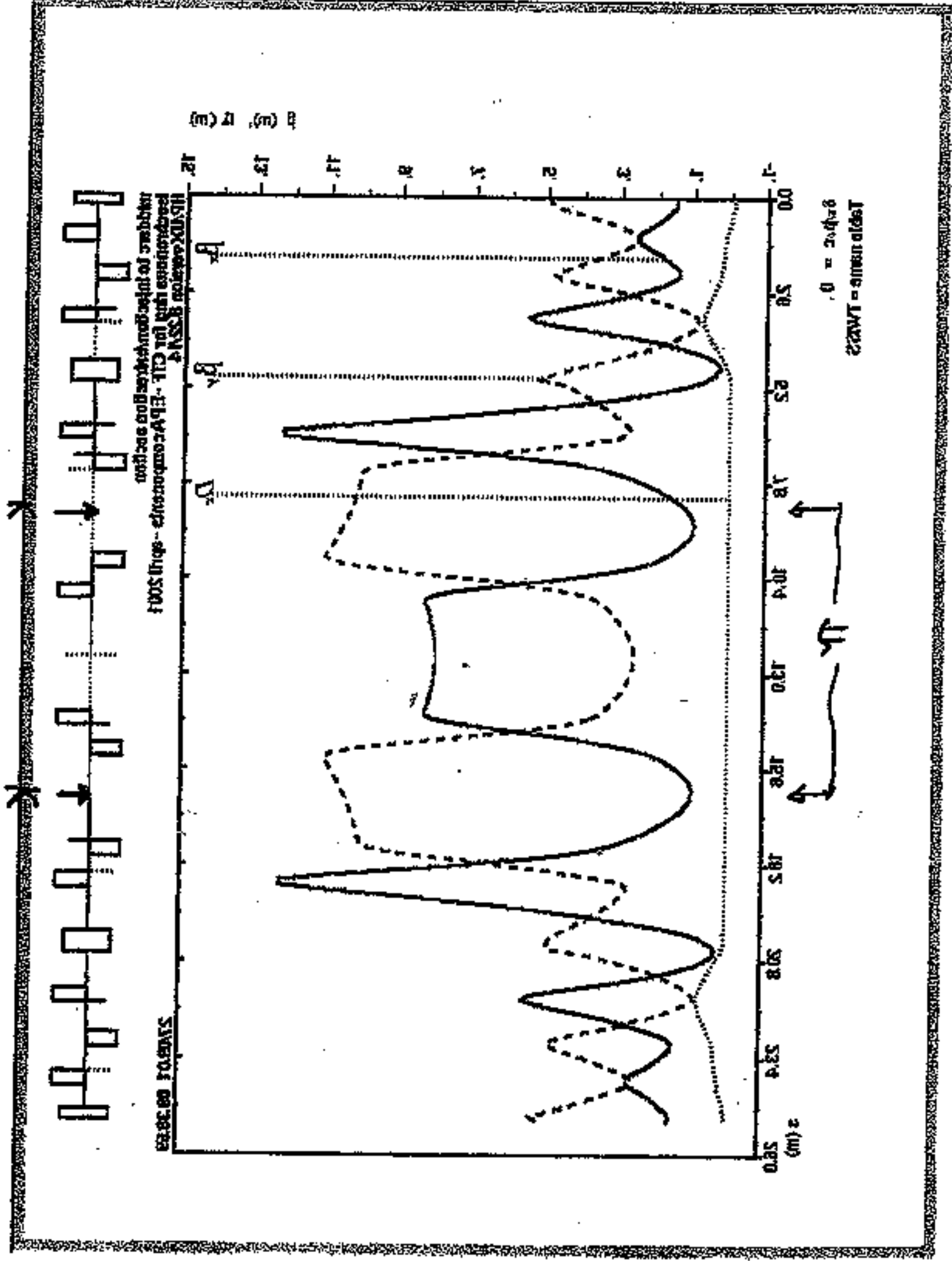


$$R_{56} = \int \frac{D}{\rho} ds = 0$$

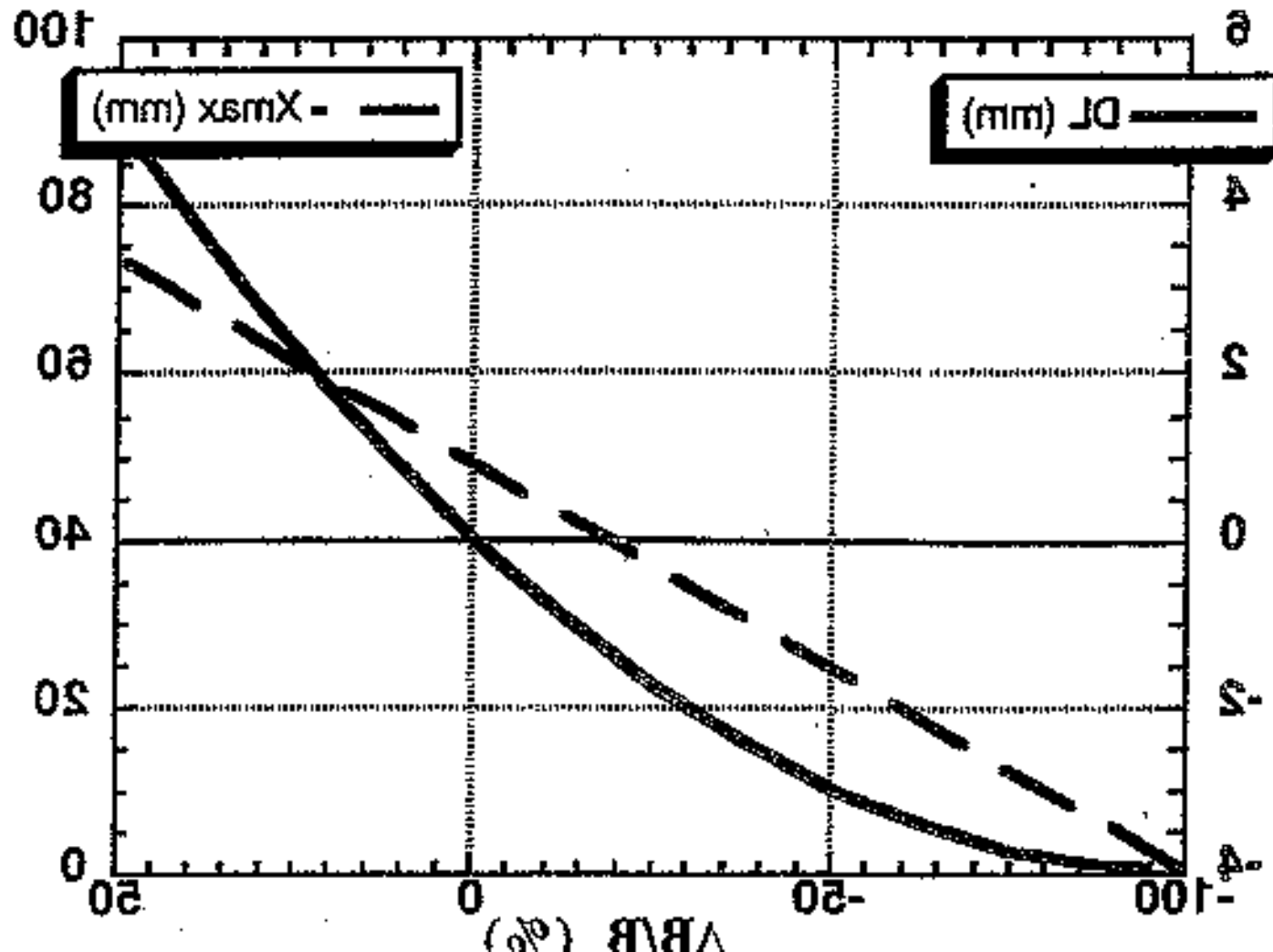
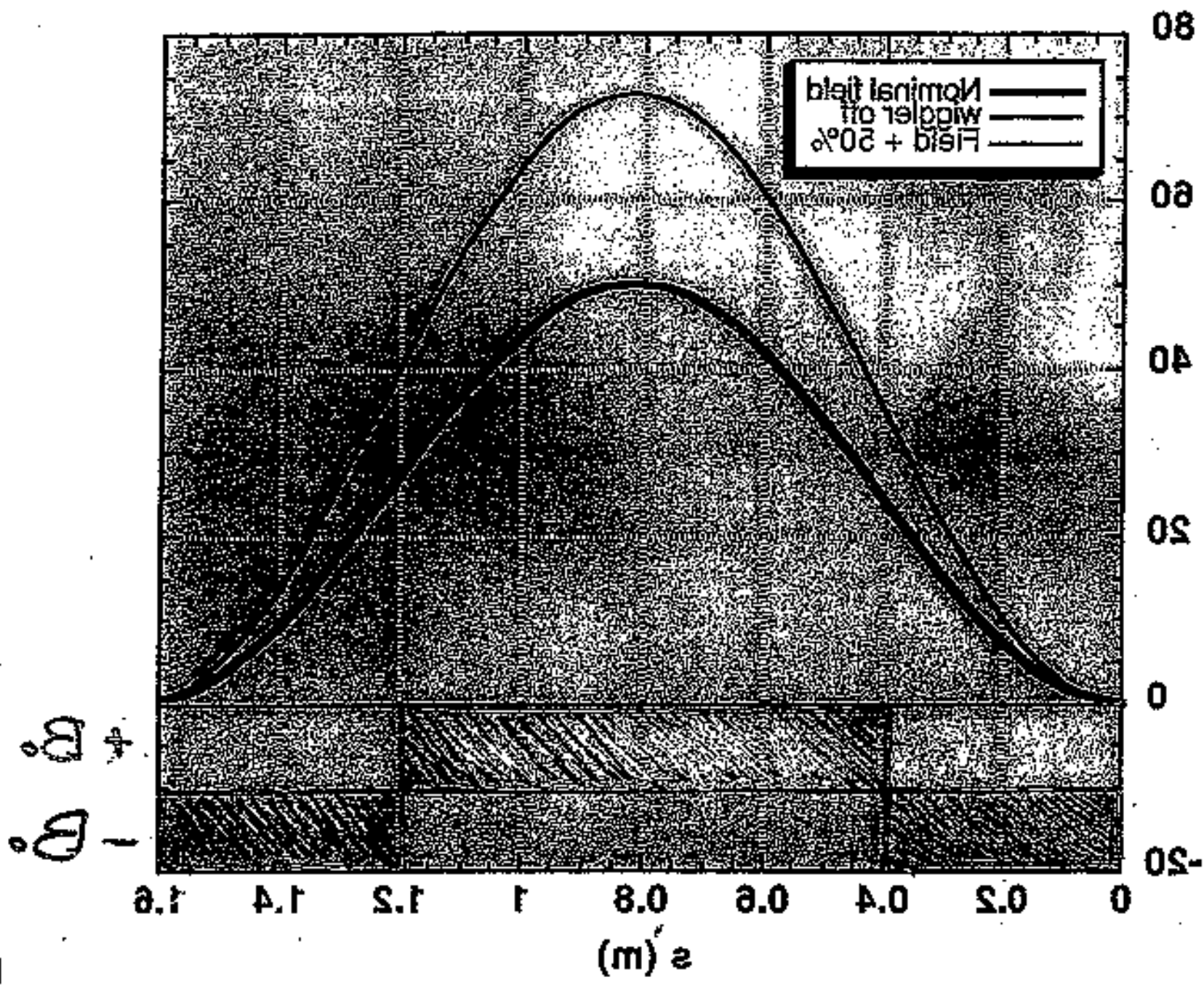
R_{56} tunability

$$D_o \text{ (m)} = 40.218 \alpha_c - 0.10278$$



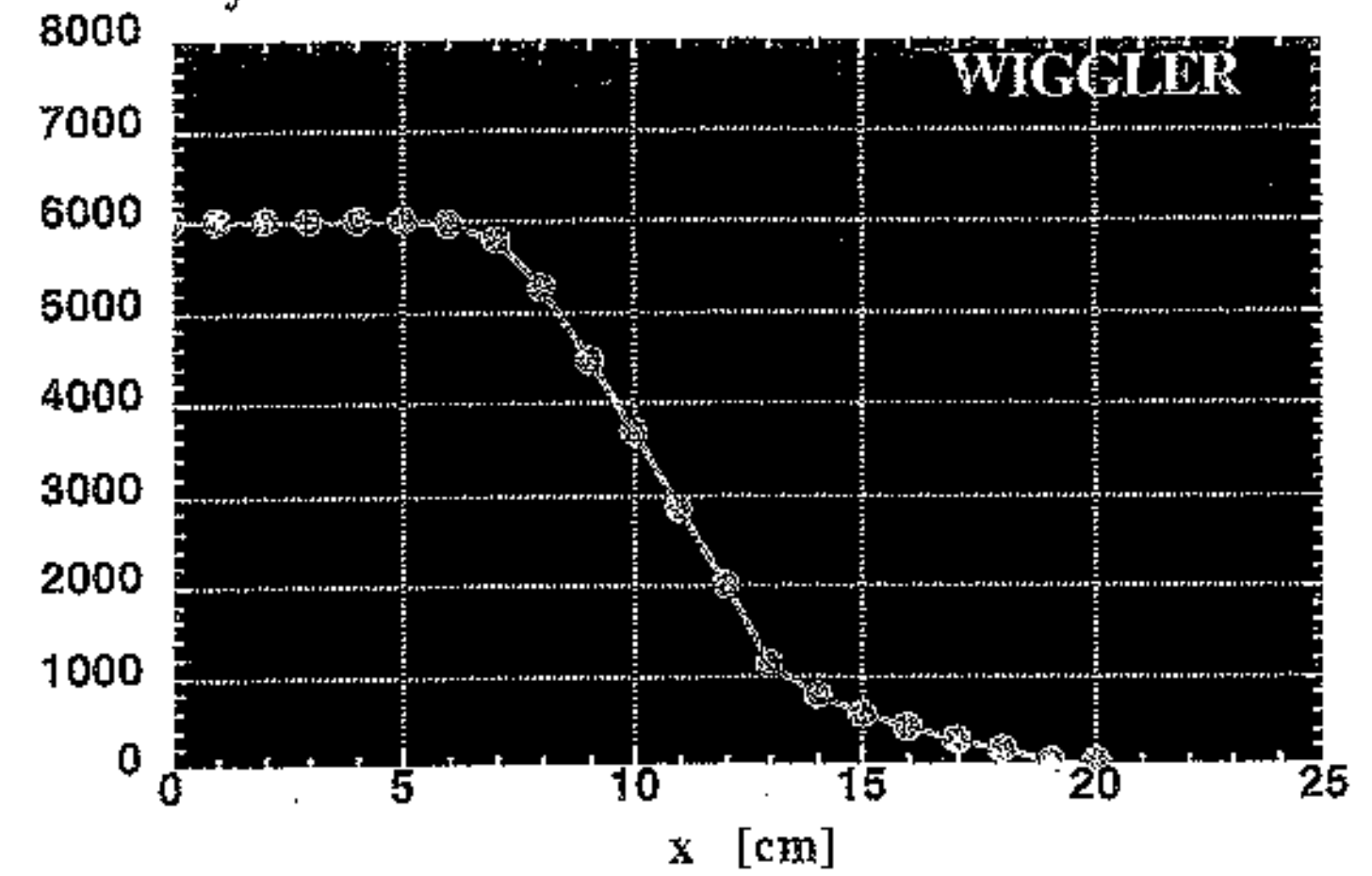


Optical functions of injection/extraction from midpoints of adjacent arcs

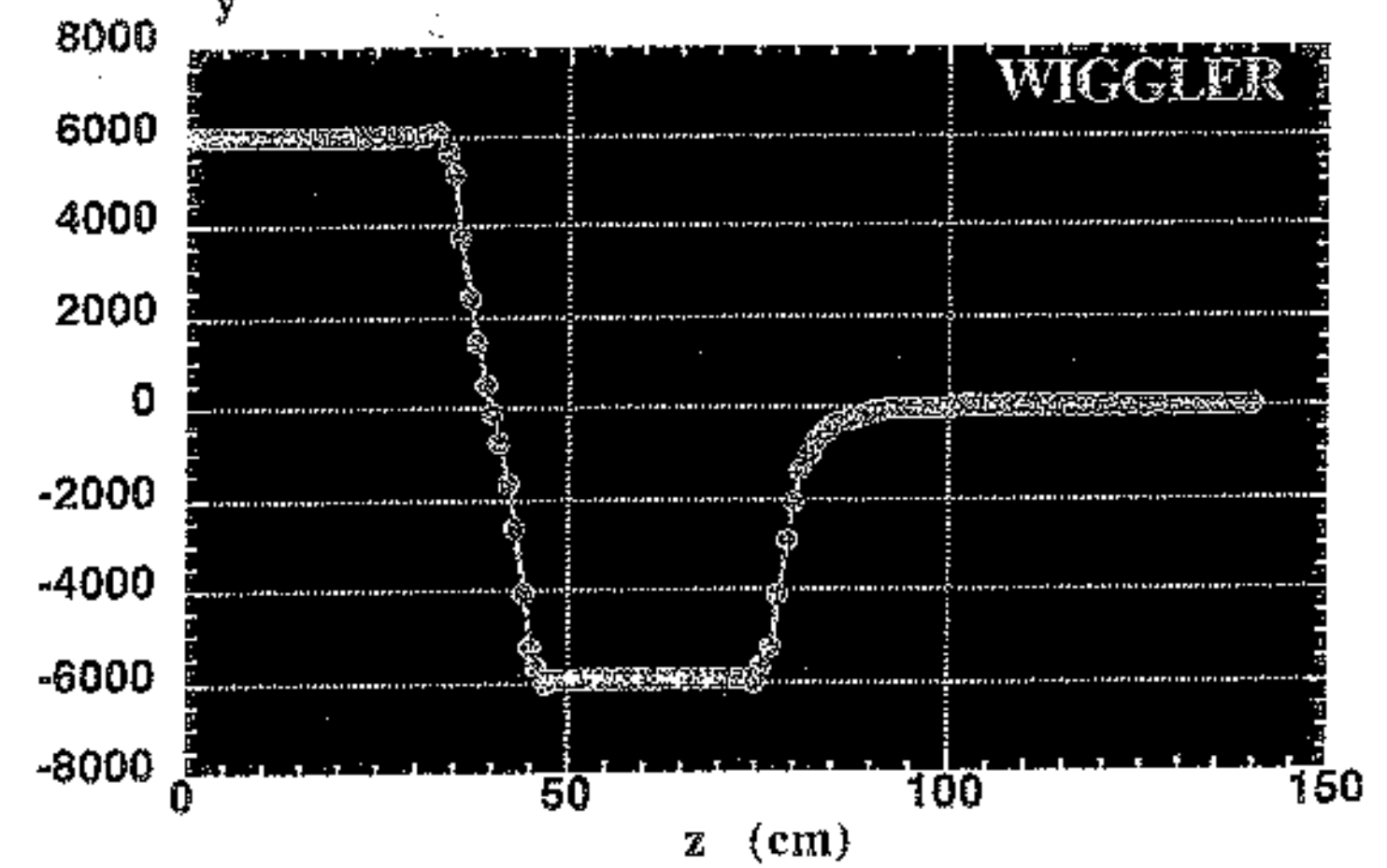


Path - length tuning wiggler field

B_y (gauss) - transverse behaviour

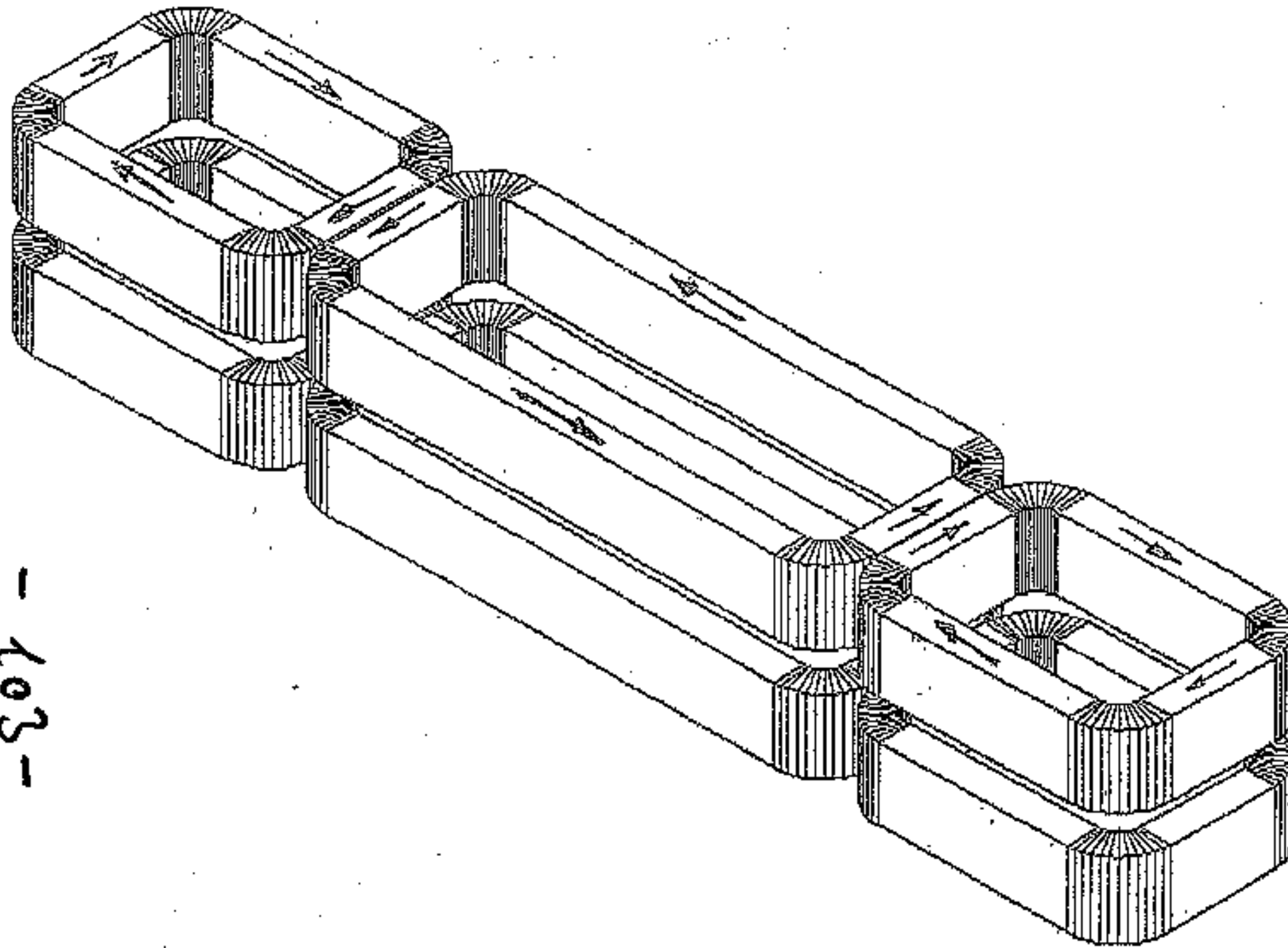


B_y (gauss) - longitudinal behaviour



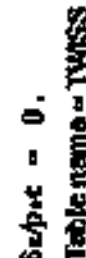
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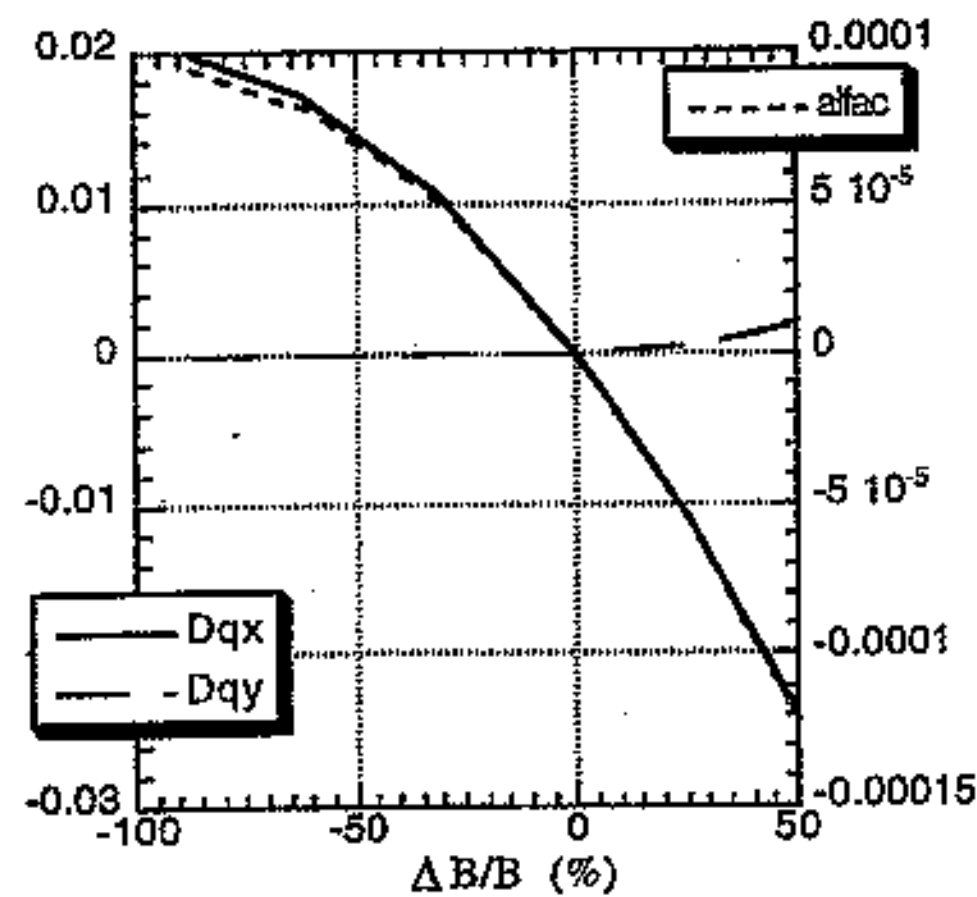
WIGGLER COILS



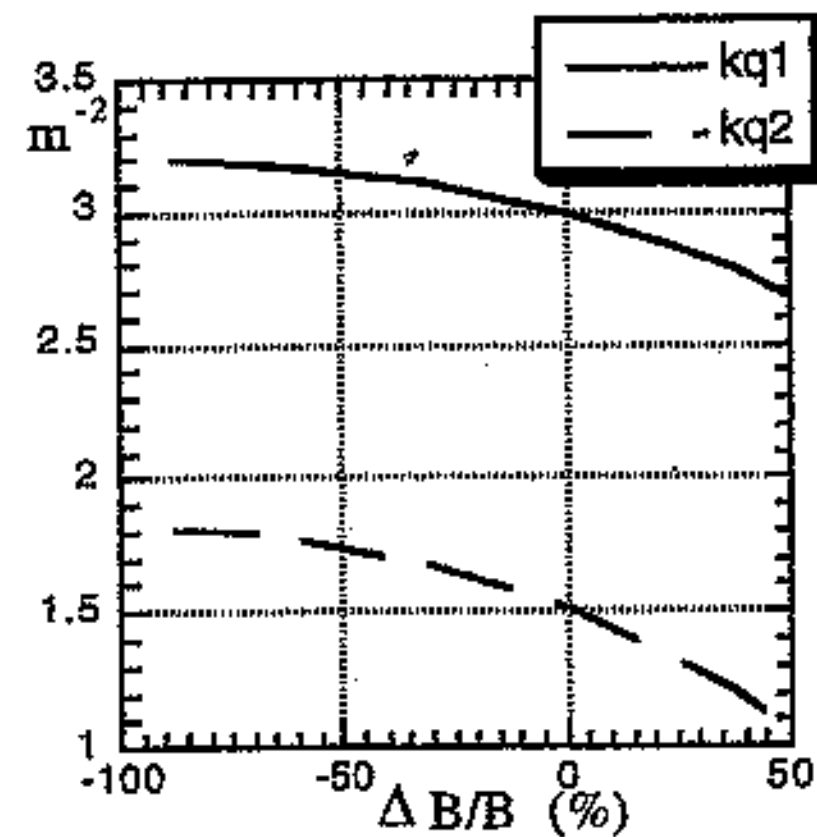
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Optical functions of wiggler section from midpoints of adjacent arcs





Momentum compaction and change in betatron tunes as a function of wiggler field.

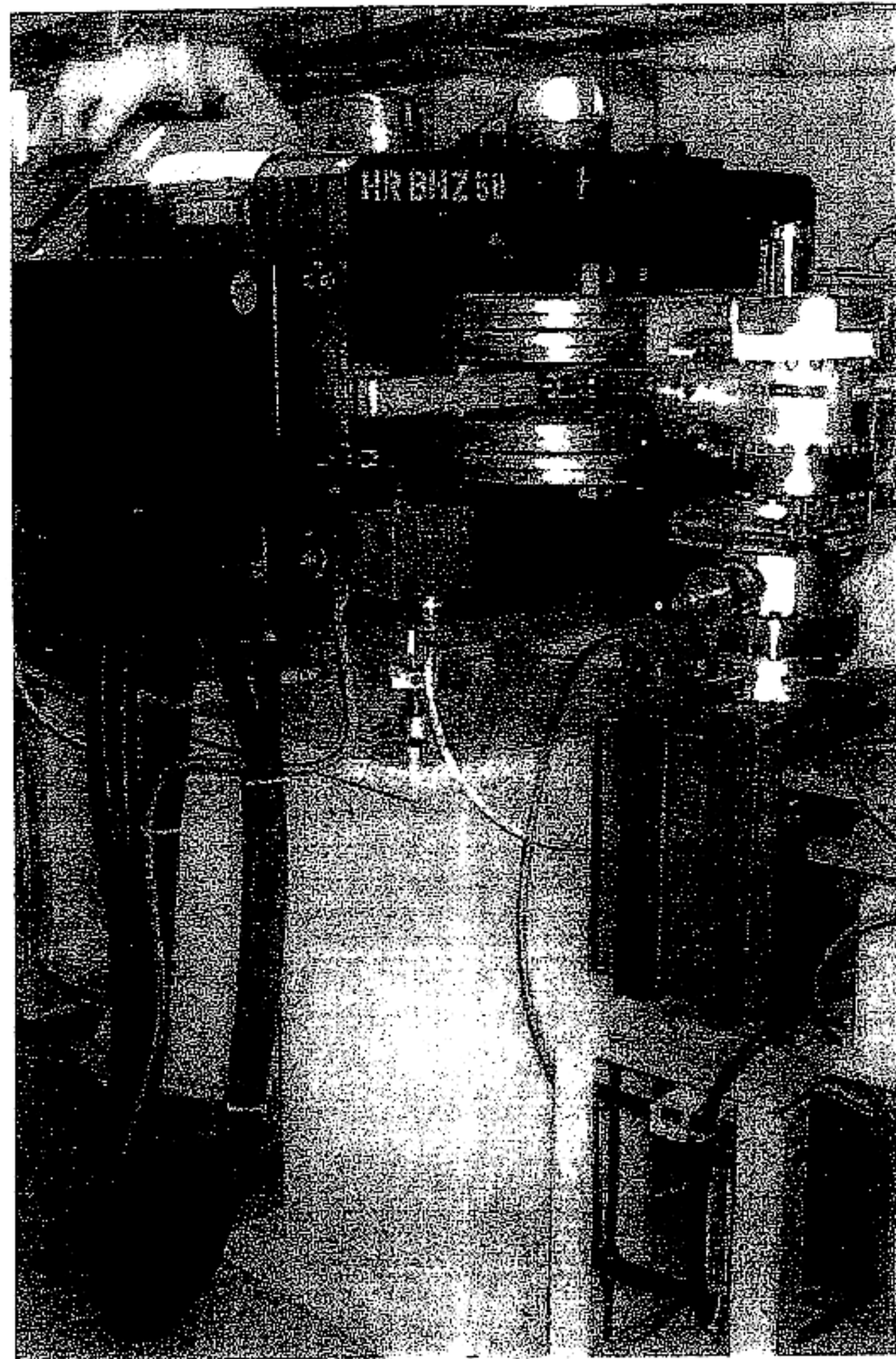


Strength of the wiggler section quadrupoles which match transverse betatron waists at the wiggler center as a function of wiggler field

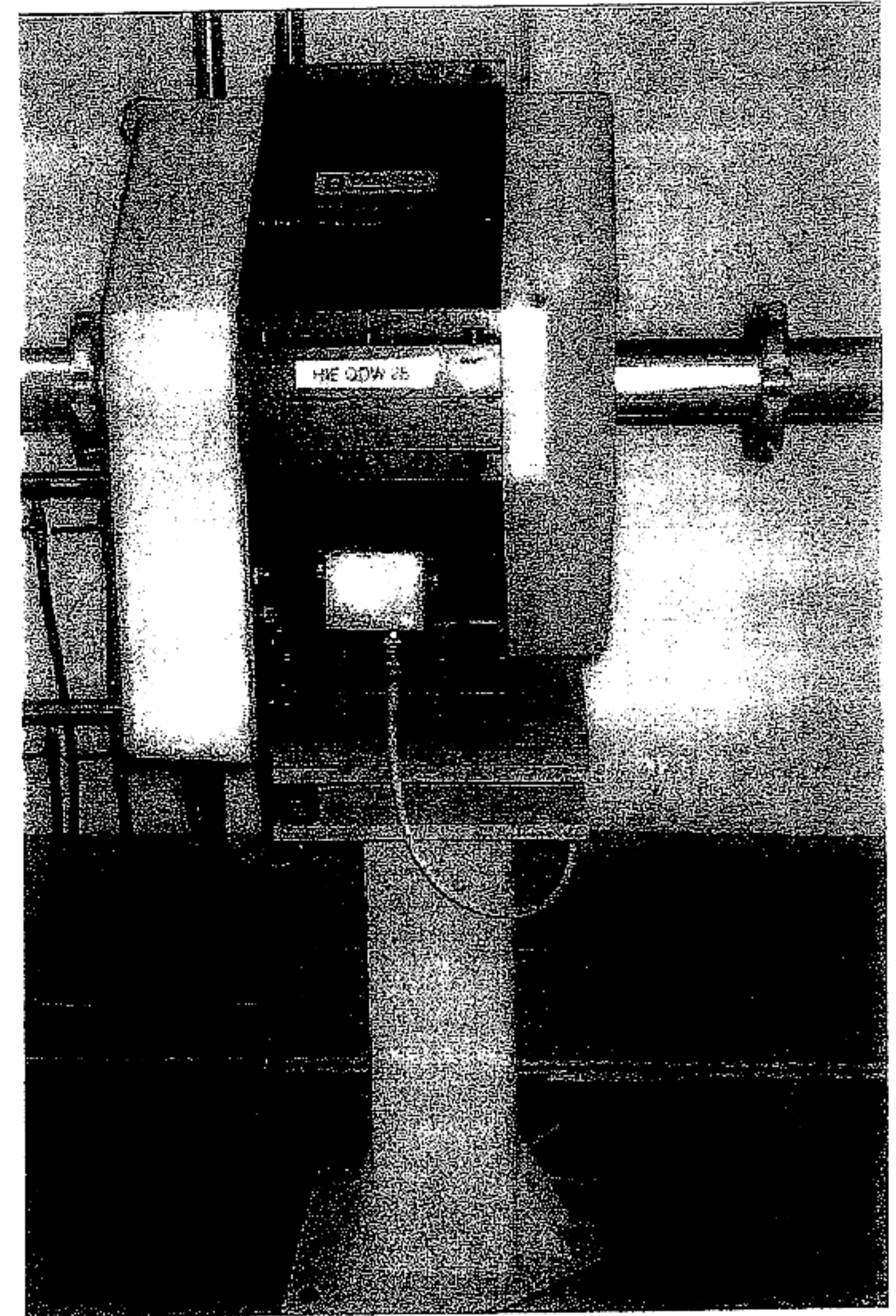
COMBINER RING MAGNETS

A) N. of Dipoles (type 4.7)	12
Dipole Field (T)	0.55/1.07
Dipole Bending Radius [m]	1.09
Pole width [mm]	230
Gap height [mm]	45
B) N. of Quadrupoles	48
N. of Quadrupoles -type 4.8.2	12
Magnetic length [m]	0.38
Maximum K_1 [m^{-2}]	2.24
Maximum gradient [T/m]	0.51/0.99
Quadrupole families (minimum/preferred)	2/3
Pole width [mm]	140
Available aperture [mm]	200
N. of Quadrupoles type 5.3	36
Magnetic length [m]	0.38
Maximum K_1 [m^{-2}]	3.54
Maximum Integrated Gradient [T]	0.81/1.57
Quadrupole families (minimum/preferred)	7/12
Pole width [mm]	134
Available aperture [mm]	184
C) N. of sextupoles	24
Magnetic length [m]	0.10
Maximum K_2 [m^{-3}]	100
Max Integrated Gradient [T/m]	6/11.7
Sextupole families	3
Available aperture [mm]	108
D) N. of Path Length Tuning Wiggles	2
Pole width [mm]	150
Gap height [mm]	40

EPA DIPOLE



EPA QUADRUPOLES

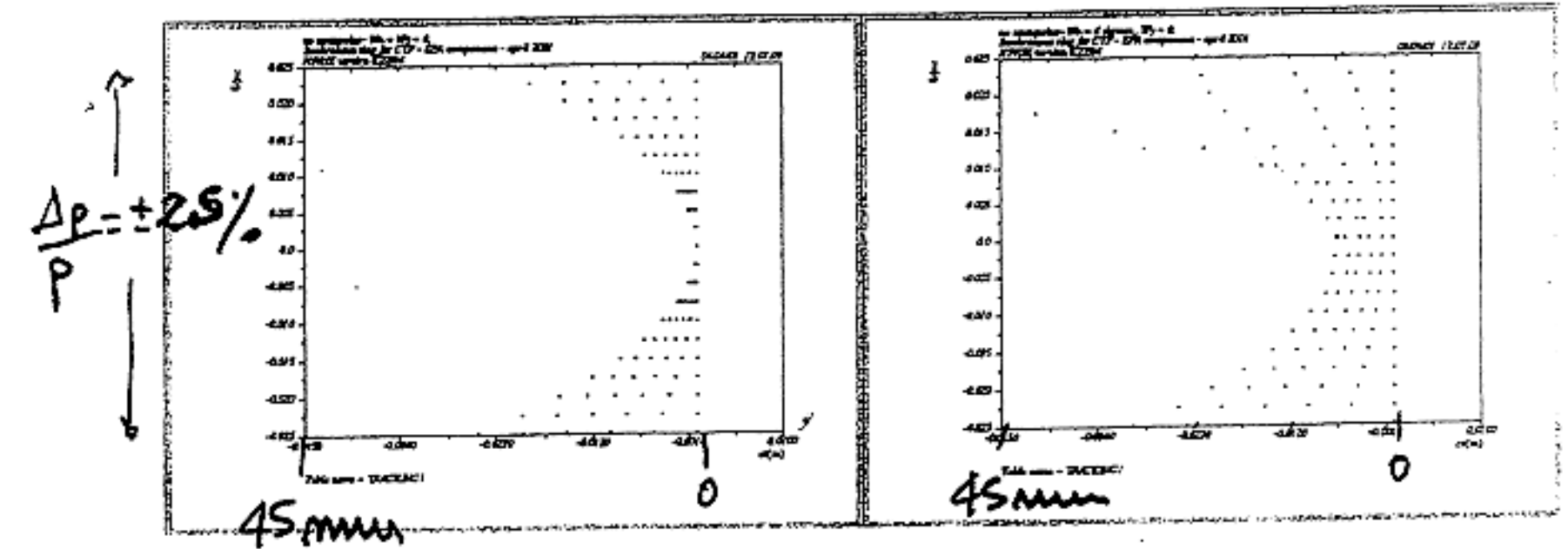
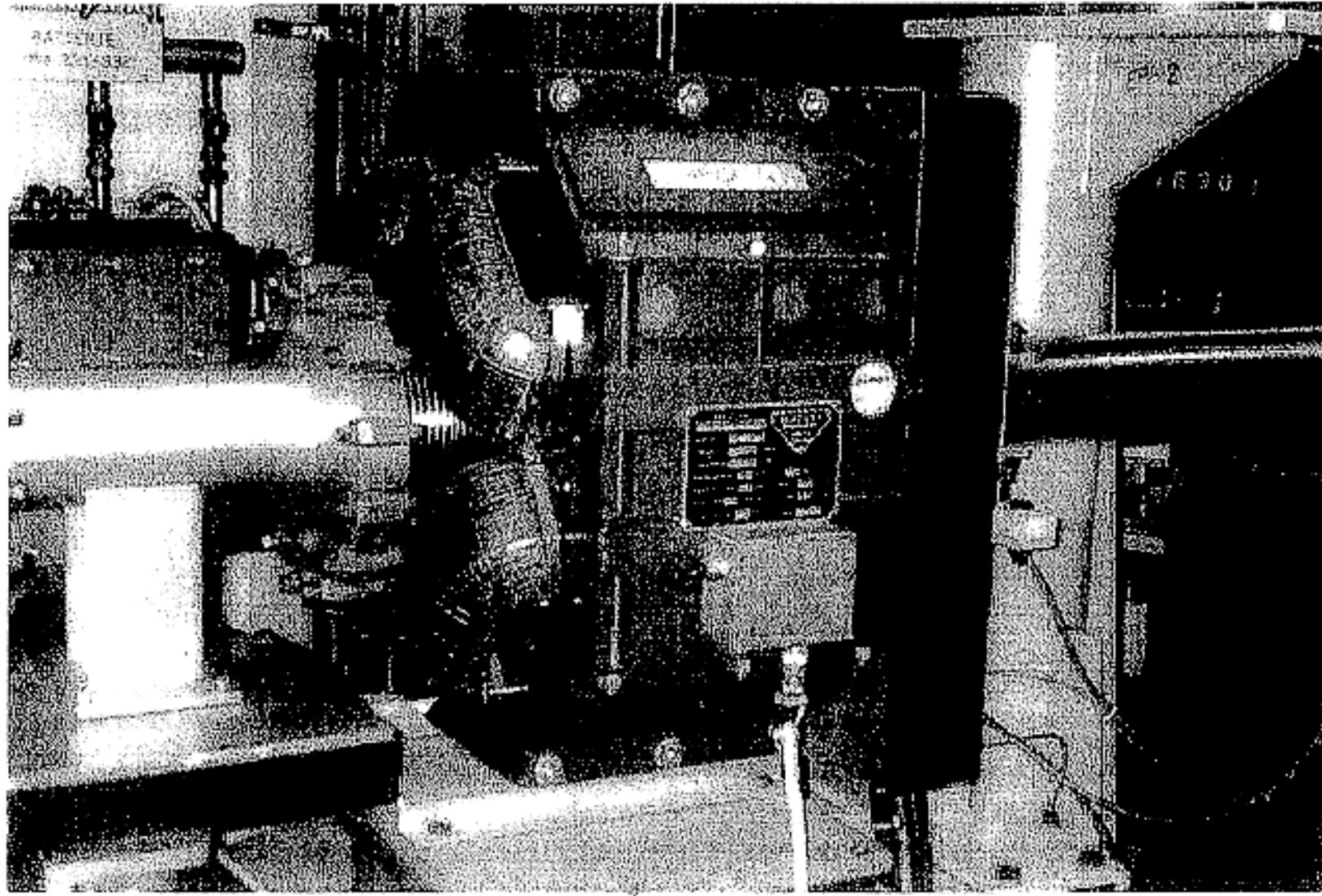


EPA QUADRUPOLES

Isochronicity

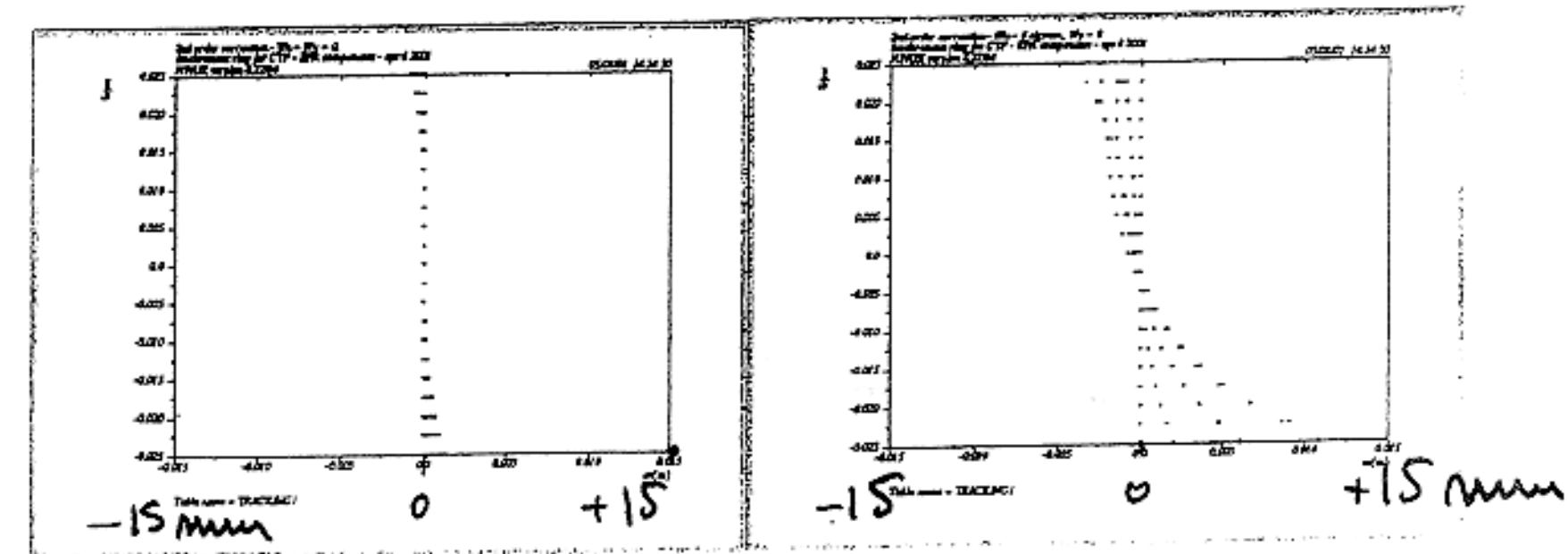
$$c\Delta t = R_{56} \frac{\Delta p}{p} + T_{566} \left(\frac{\Delta p}{p} \right)^2 + \dots$$

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$x=y=0$

$x=3\sigma_x; y=0$



$x=y=0$

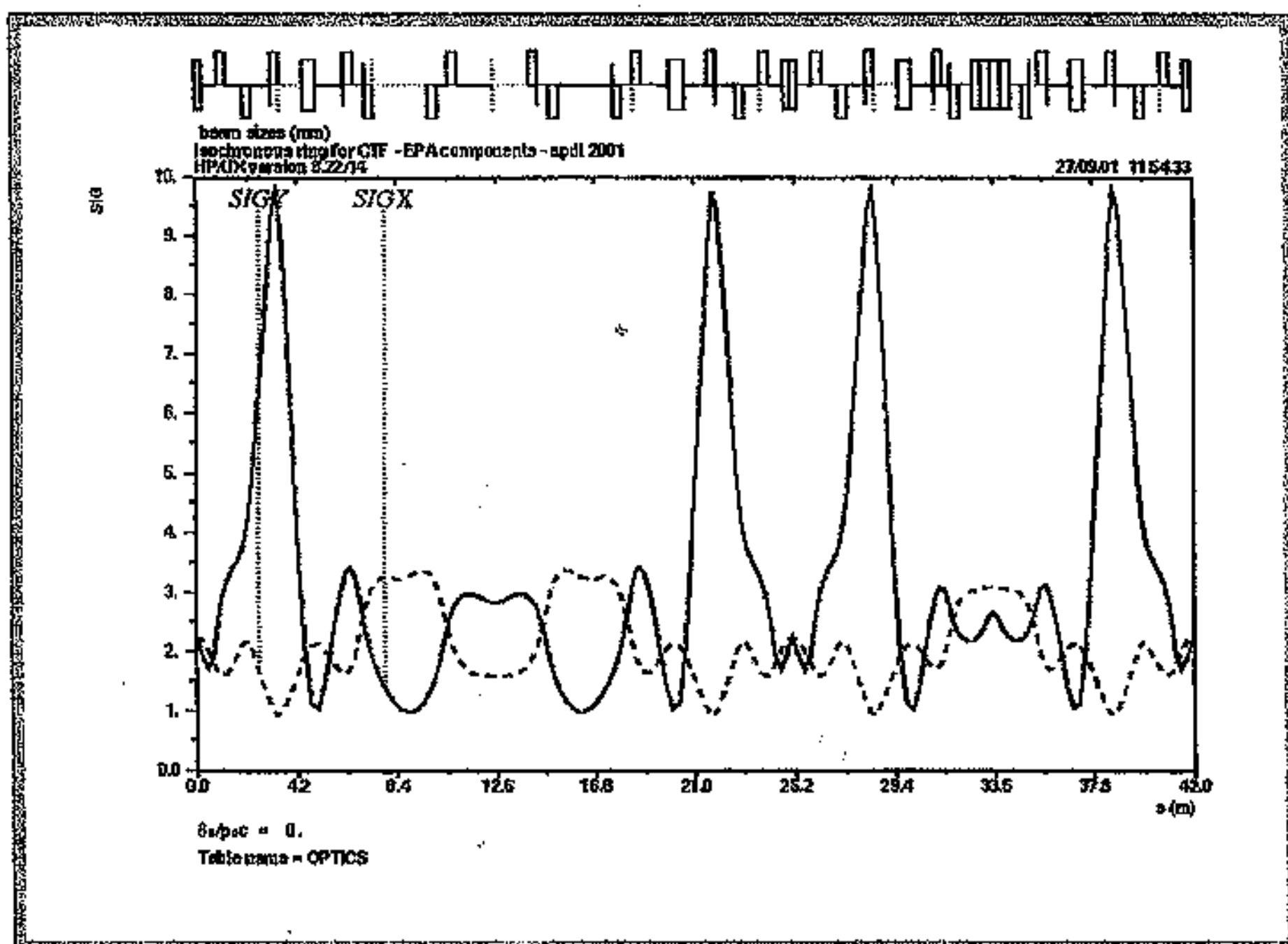
$x=3\sigma_x; y=0$

$$\frac{\Delta p}{p} = \pm 1\% \rightarrow \begin{aligned} 3\sigma_x &< 1 \text{ mm} \\ 3\sigma_y &< 2 \text{ mm} \end{aligned}$$

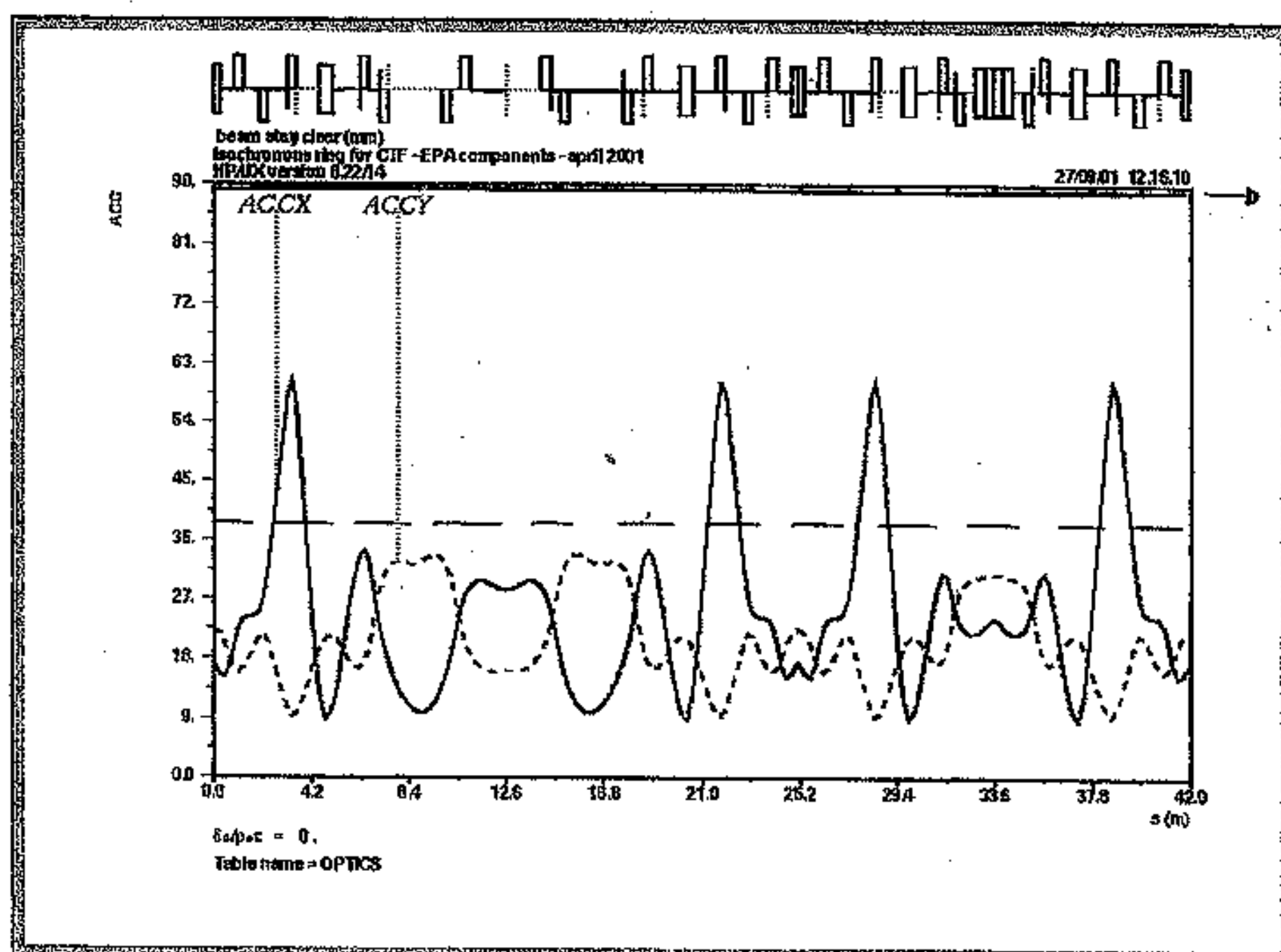
CR – Beam sizes $\sigma_x = \sqrt{\epsilon_x \beta_x} + \frac{\Delta p}{p} D_x$ $\sigma_y = \sqrt{\epsilon_y \beta_y}$

$\epsilon_x = \epsilon_y = 1 \text{ mm mrad}$

$\Delta p/p = 0.01$



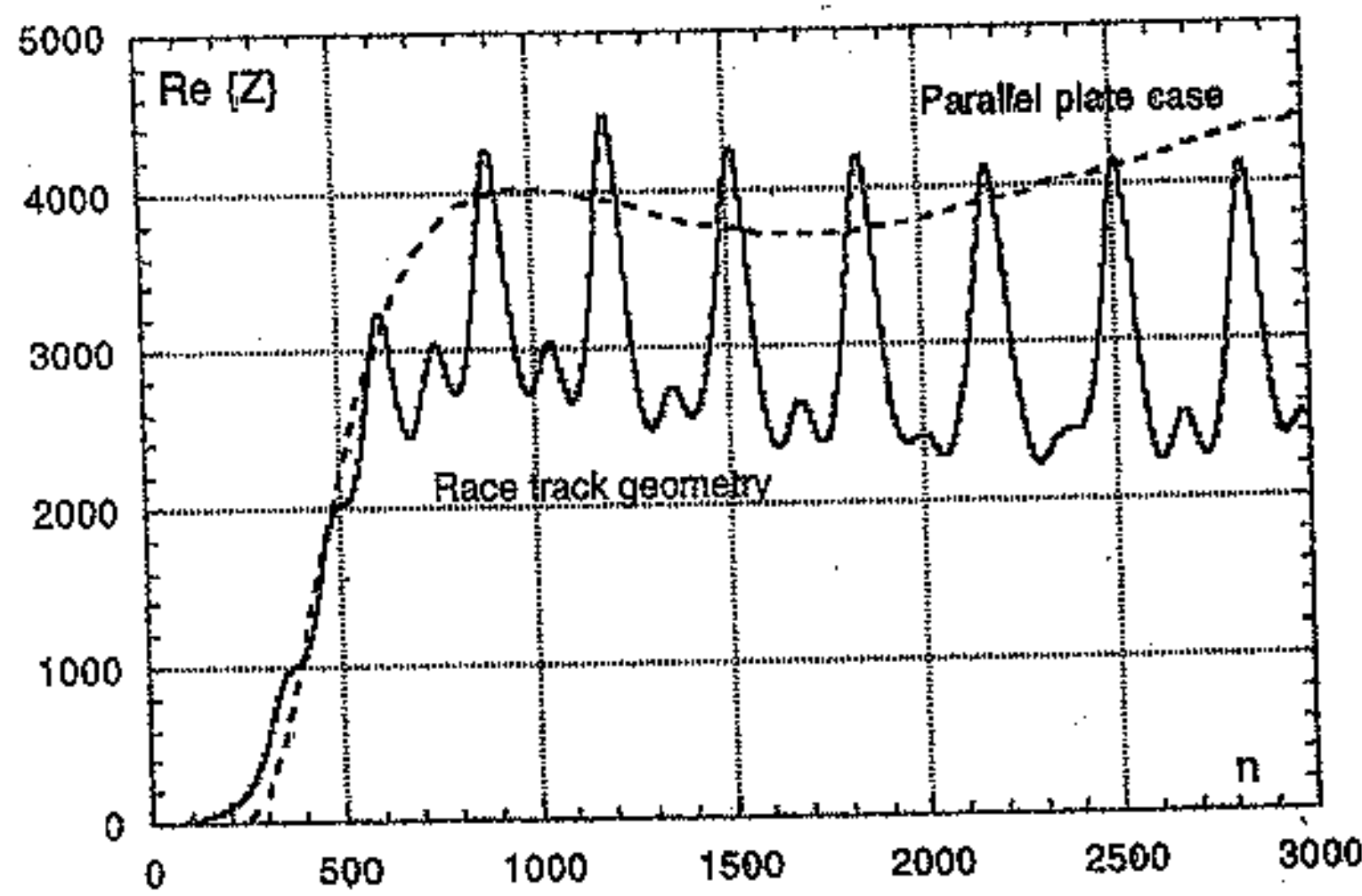
Beam Stay Clear $A_x = 10\sigma_x + 0.05D_x$ $A_y = 10\sigma_y$



→ Vacuum
chamber
apertures

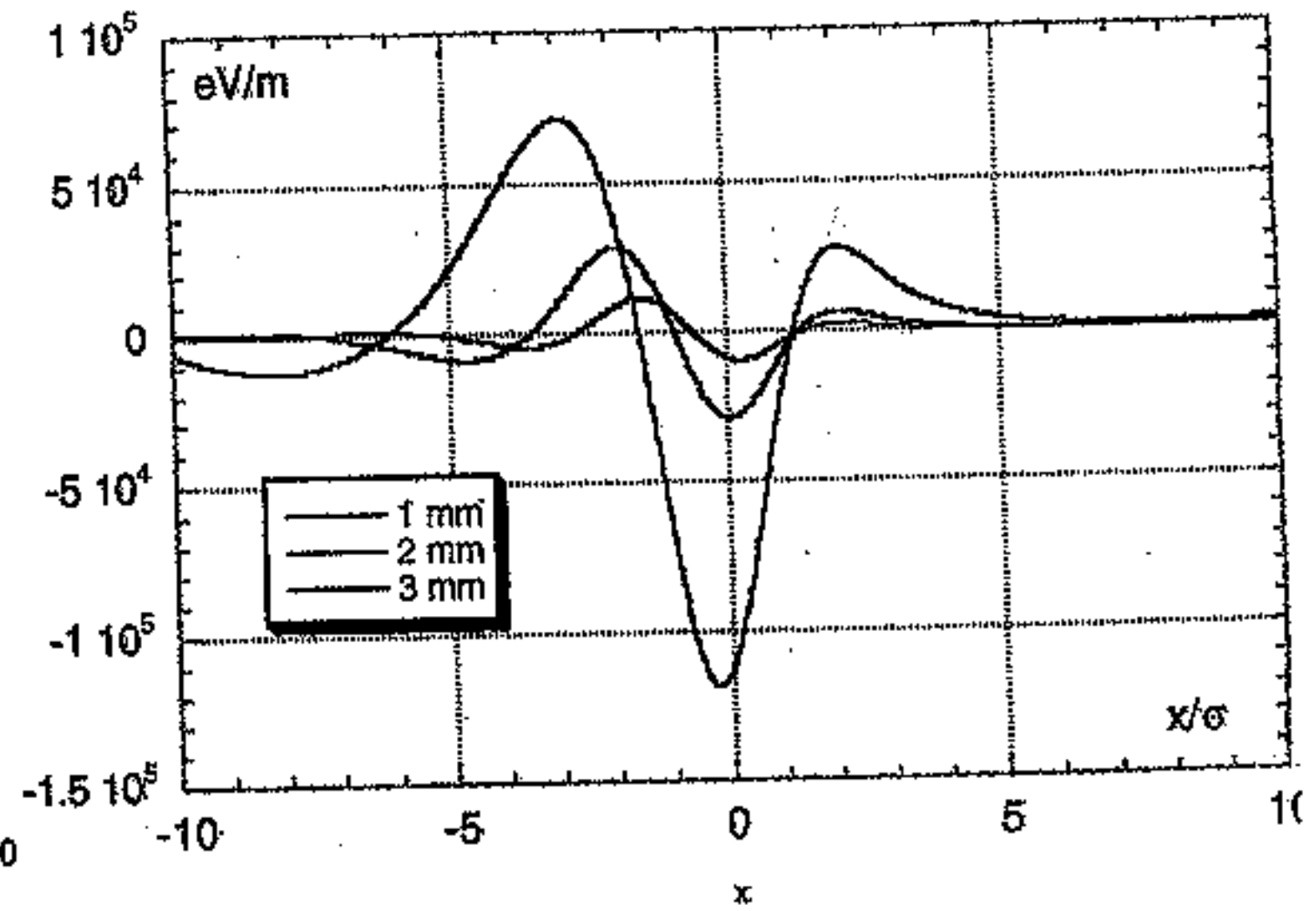
CSR in CTF3 COMPRESSOR RING MAGNETS

CSR IMPEDANCE (real part)

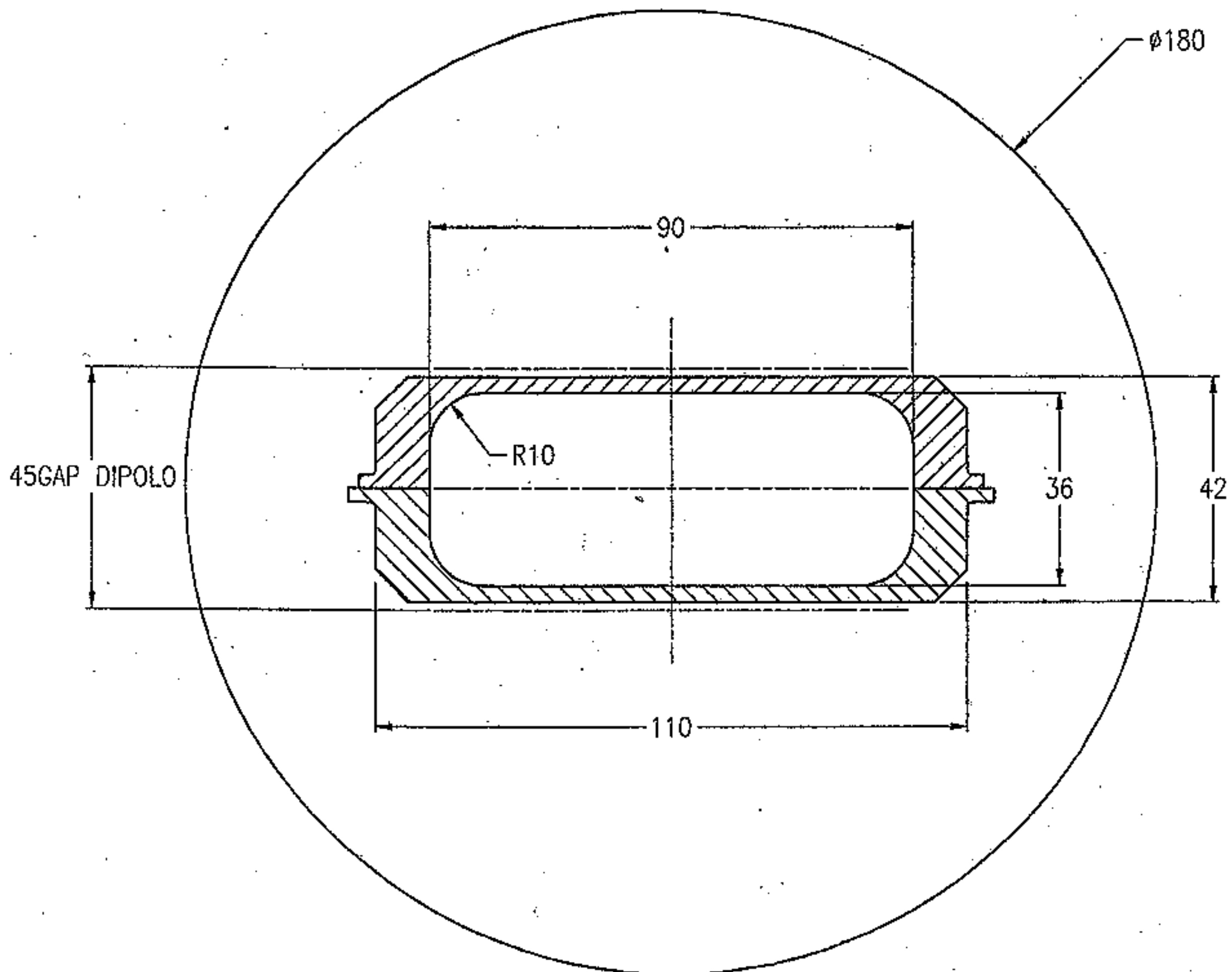


For EPA magnets incorporated in CTF3 compressor ring design and the vacuum chamber of $90 \times 36 \text{ mm}^2$ the parallel plate approximation can be applied to estimate the energy loss and energy spread.

CSR WAKE FORCE (for different bunch length)



For a bunch of 2 mm long with a charge 2.33 nC the energy spread due to CSR after 5 turns is contained within $\pm 0.5\%$ of the nominal ring energy



Orbit and trajectory correction

The correction procedure of the closed orbit and/or the trajectory in the combiner ring has been discussed only preliminarily.

Correcting the closed corrects also the trajectory when the combiner ring is used for the recombination. The trajectory in the first five turns oscillates around the corrected closed orbit with amplitudes determined by the injection offset.

Simulations : misalignments in the quadrupoles

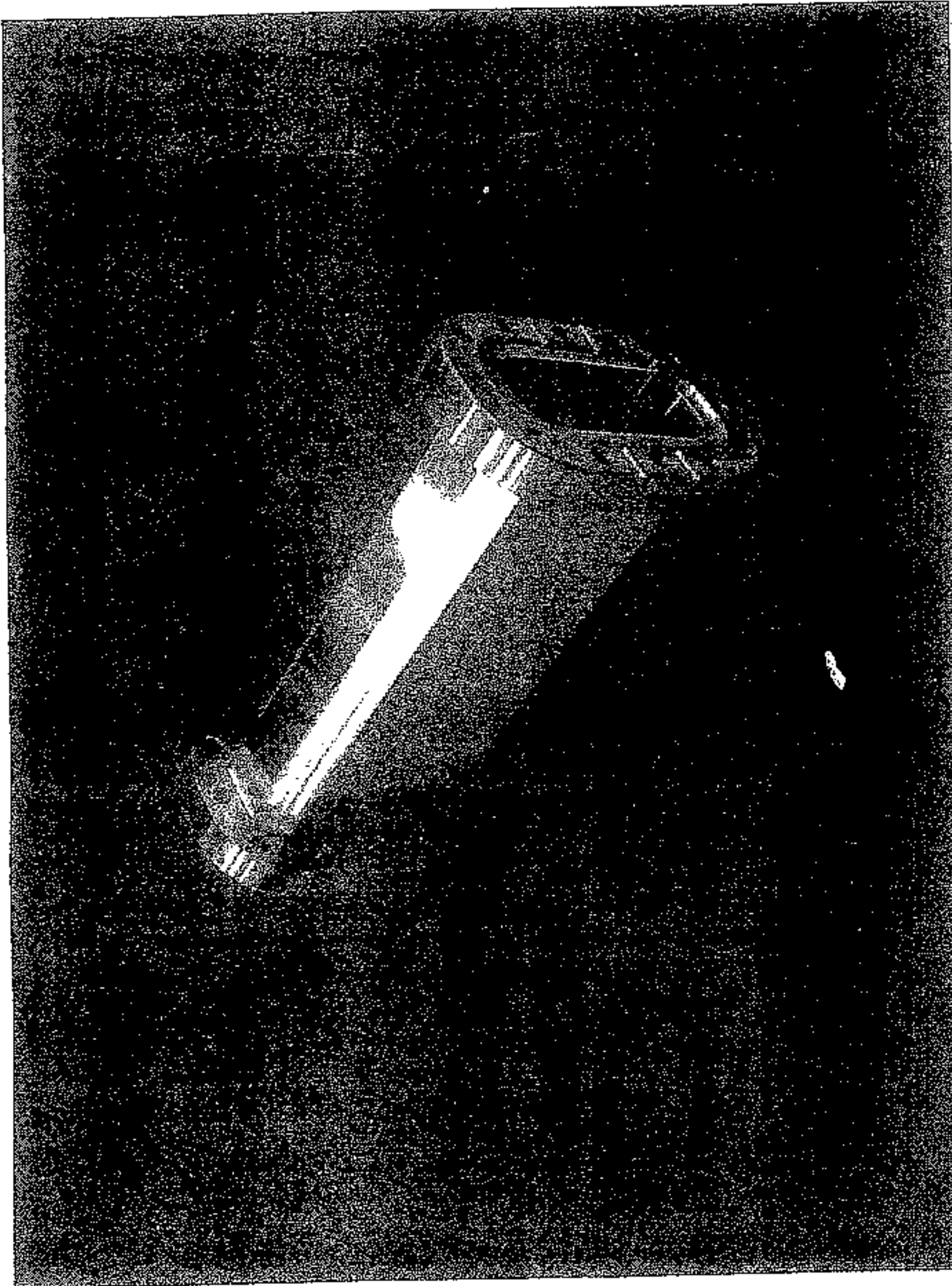
$$\Delta x = 200 \mu$$

$$\Delta y = 100 \mu$$

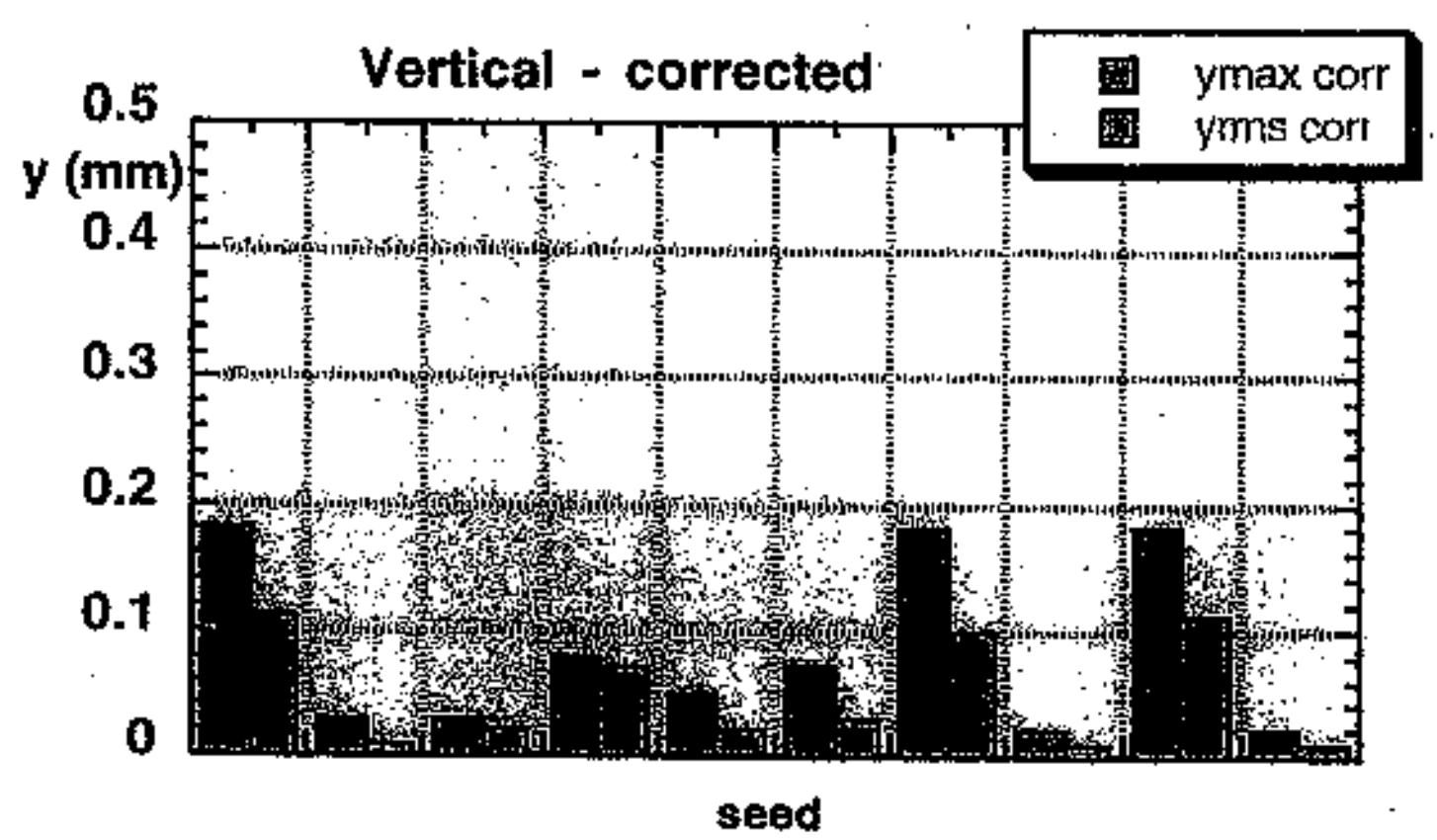
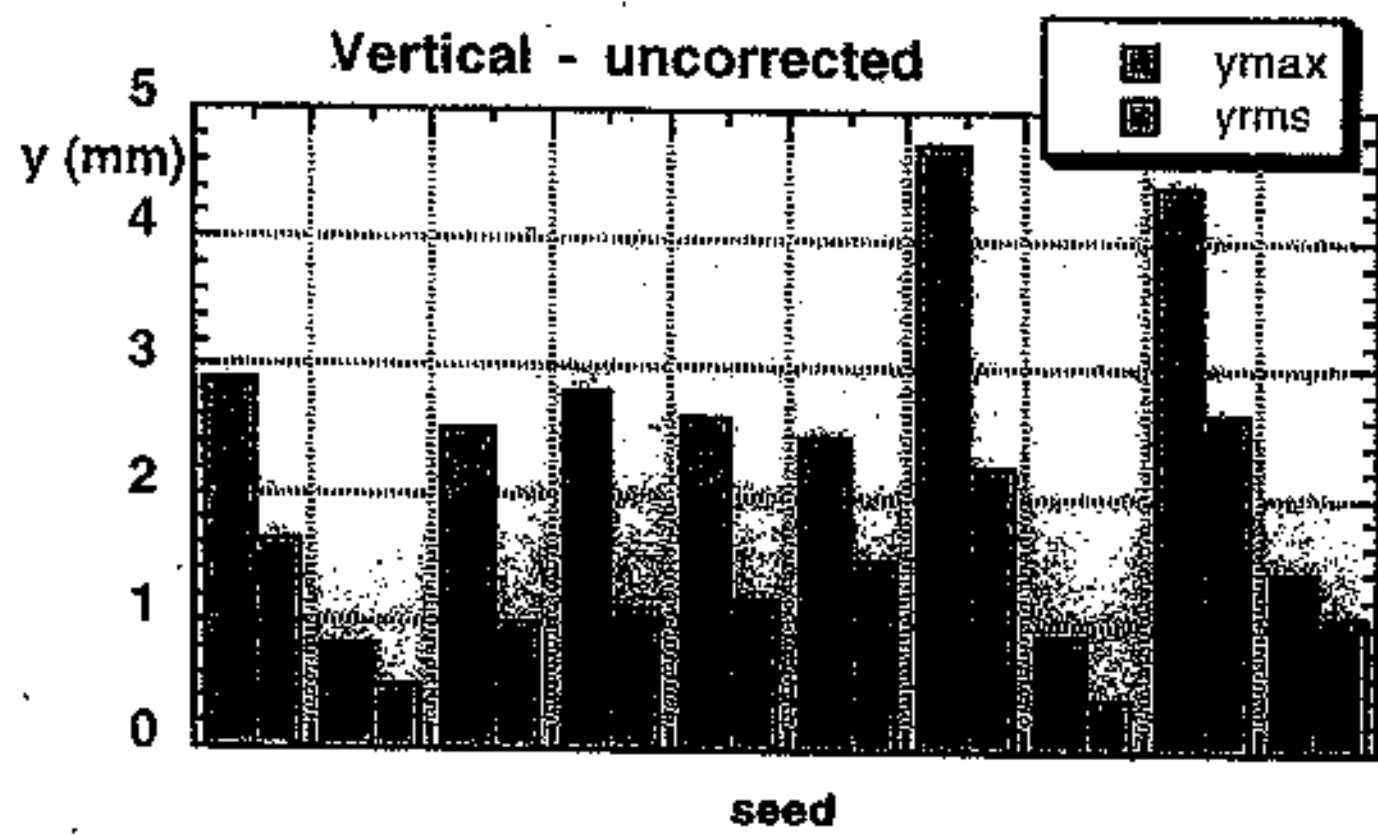
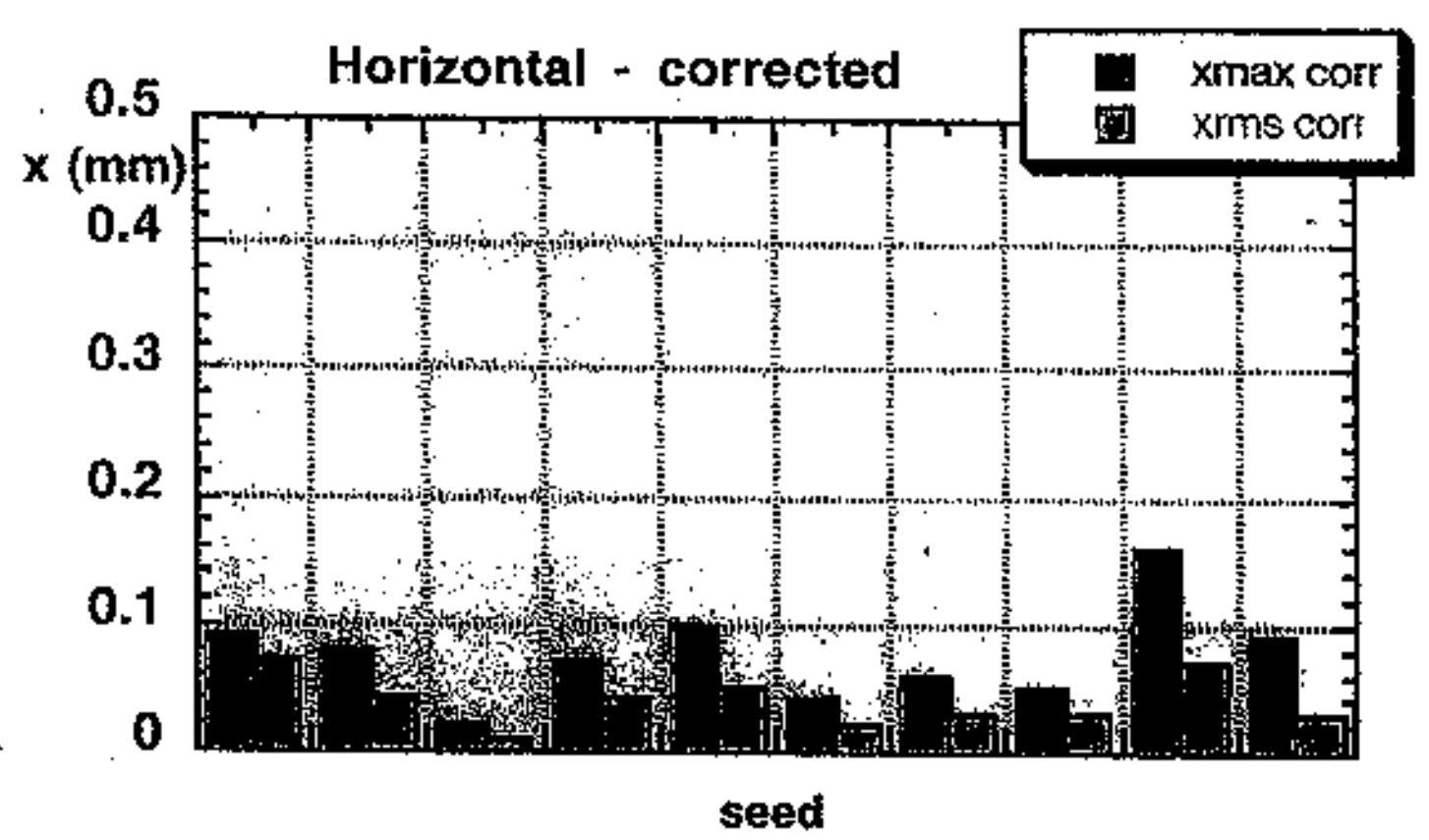
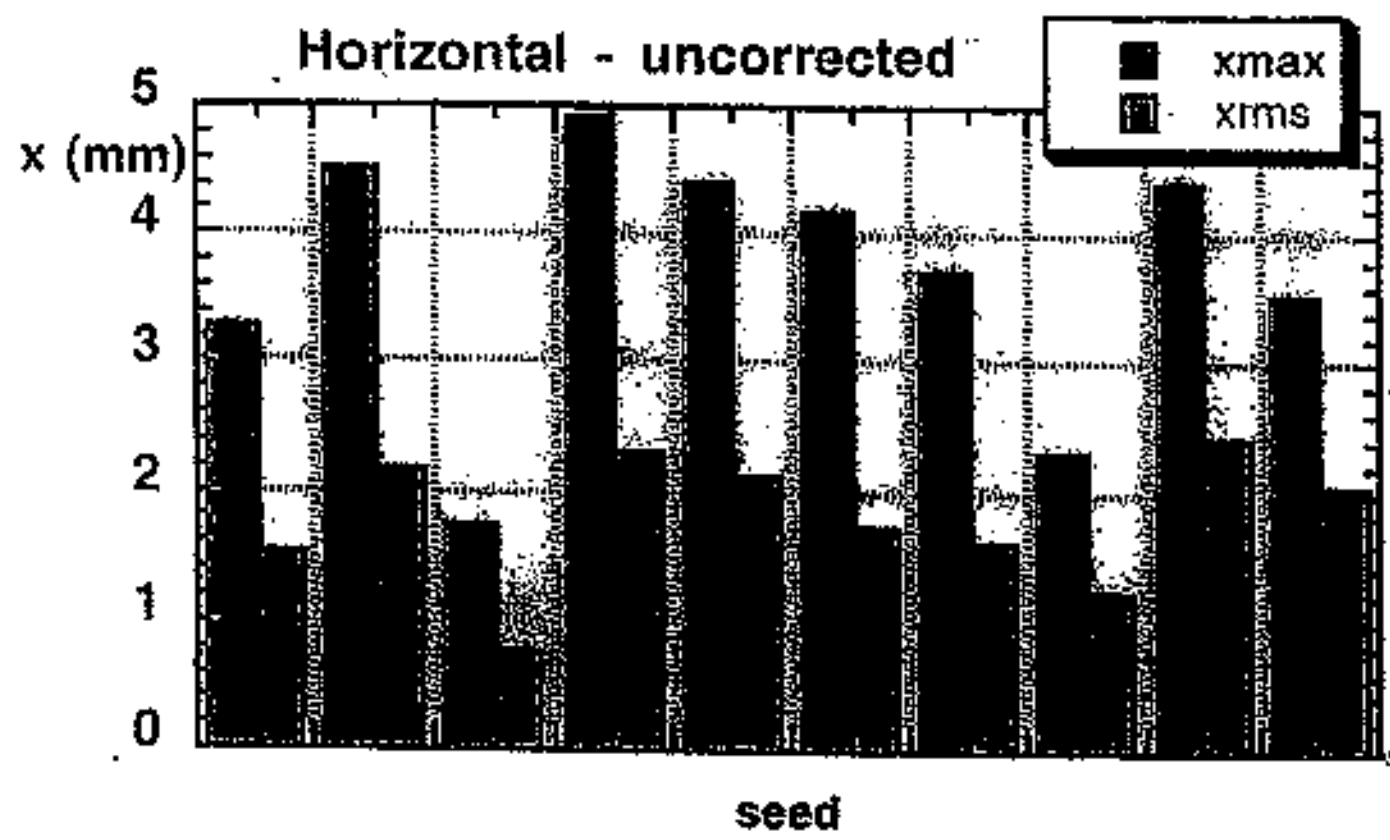
$$\Delta \theta = 0.02 \text{ mrad}$$

20 correctors and 20 monitors per plane
maximum corrector kick less than 1 mrad

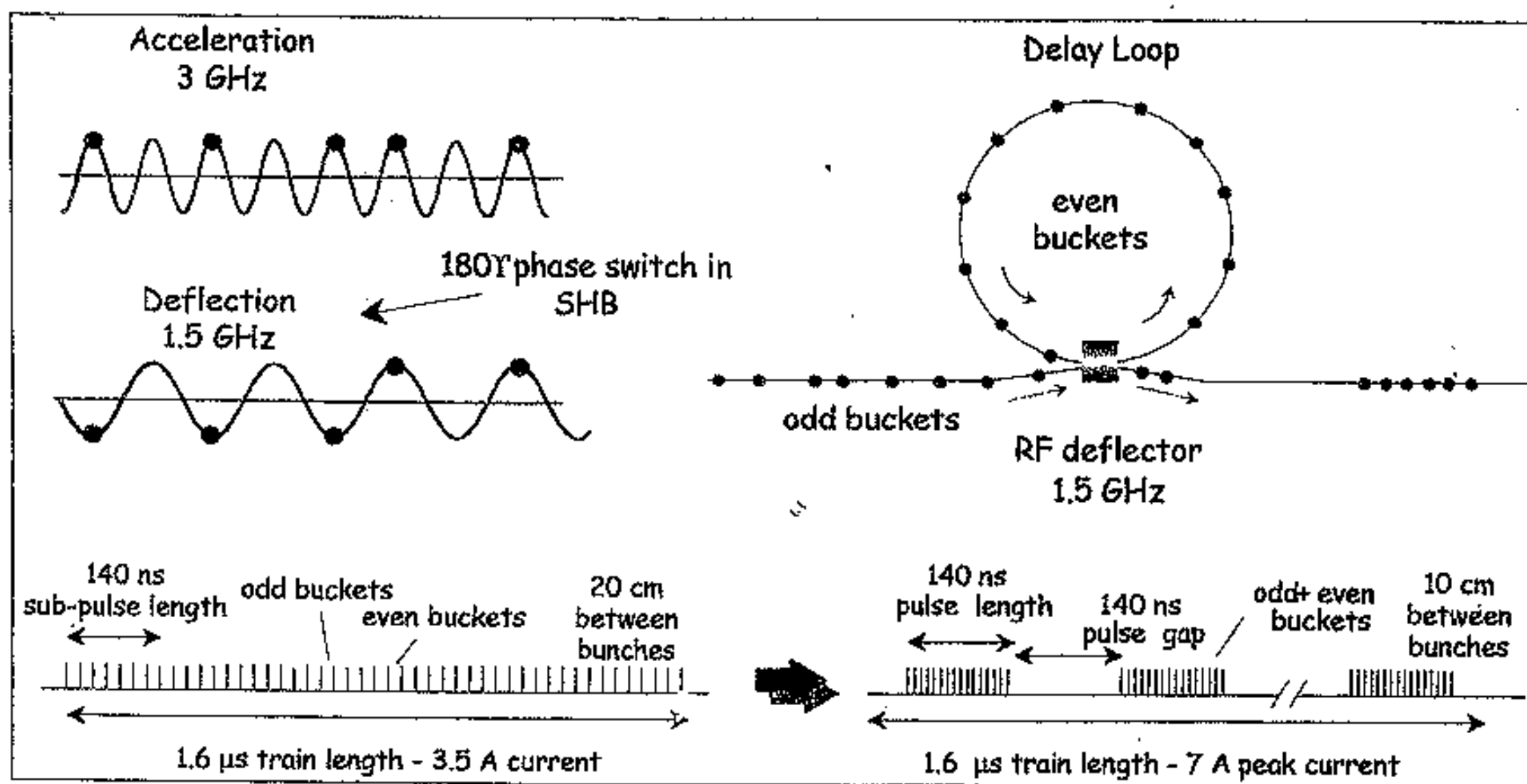
	before correction	after correction
x_{max} (mm)	3.8 ± 1.0	0.08 ± 0.04
x_{rms} (mm)	1.9 ± 0.5	0.04 ± 0.02
y_{max} (mm)	2.8 ± 1.3	0.11 ± 0.07
y_{rms} (mm)	1.5 ± 0.7	0.06 ± 0.04



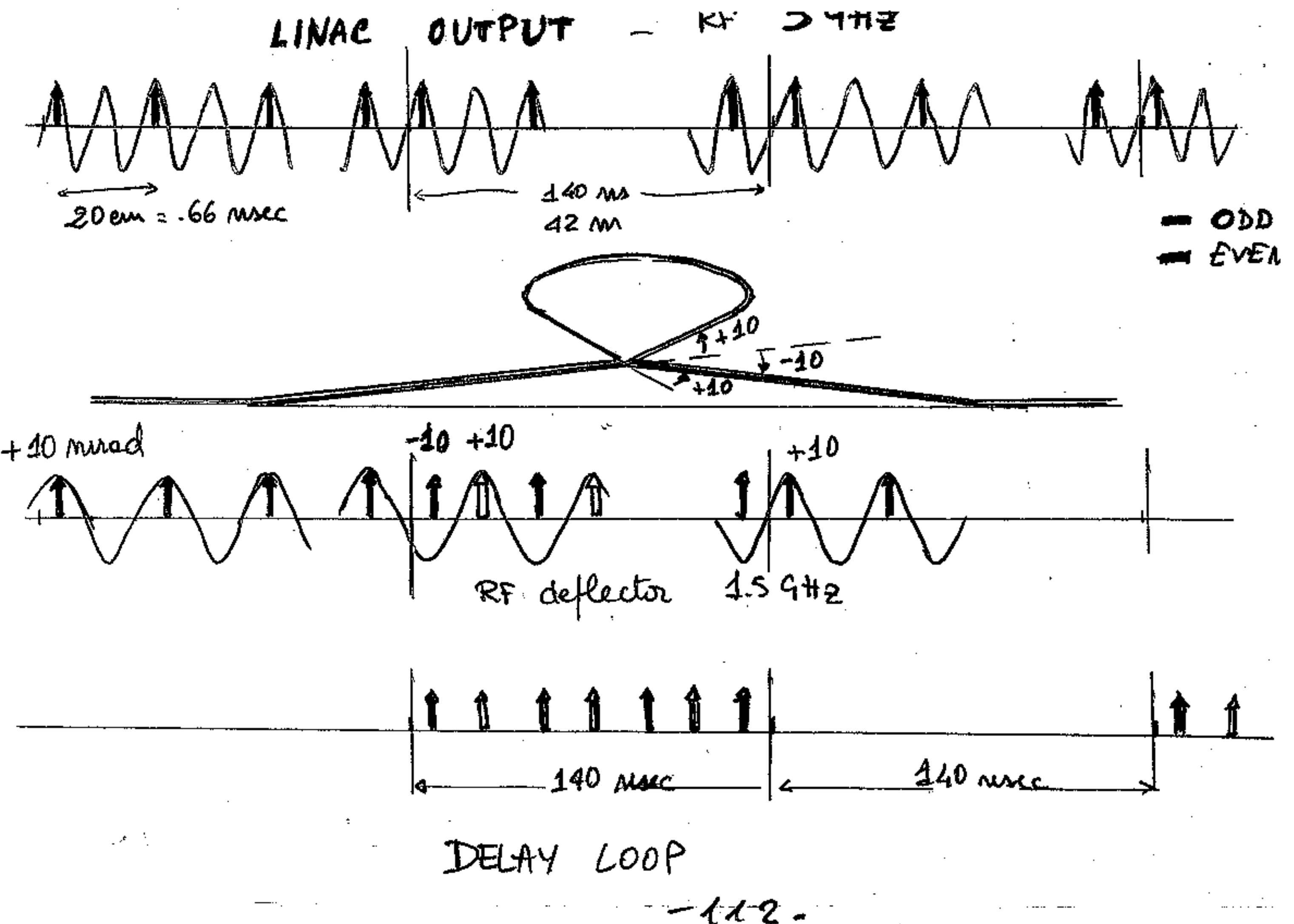
SIMULATION OF ORBIT/TRAJECTORY CORRECTION

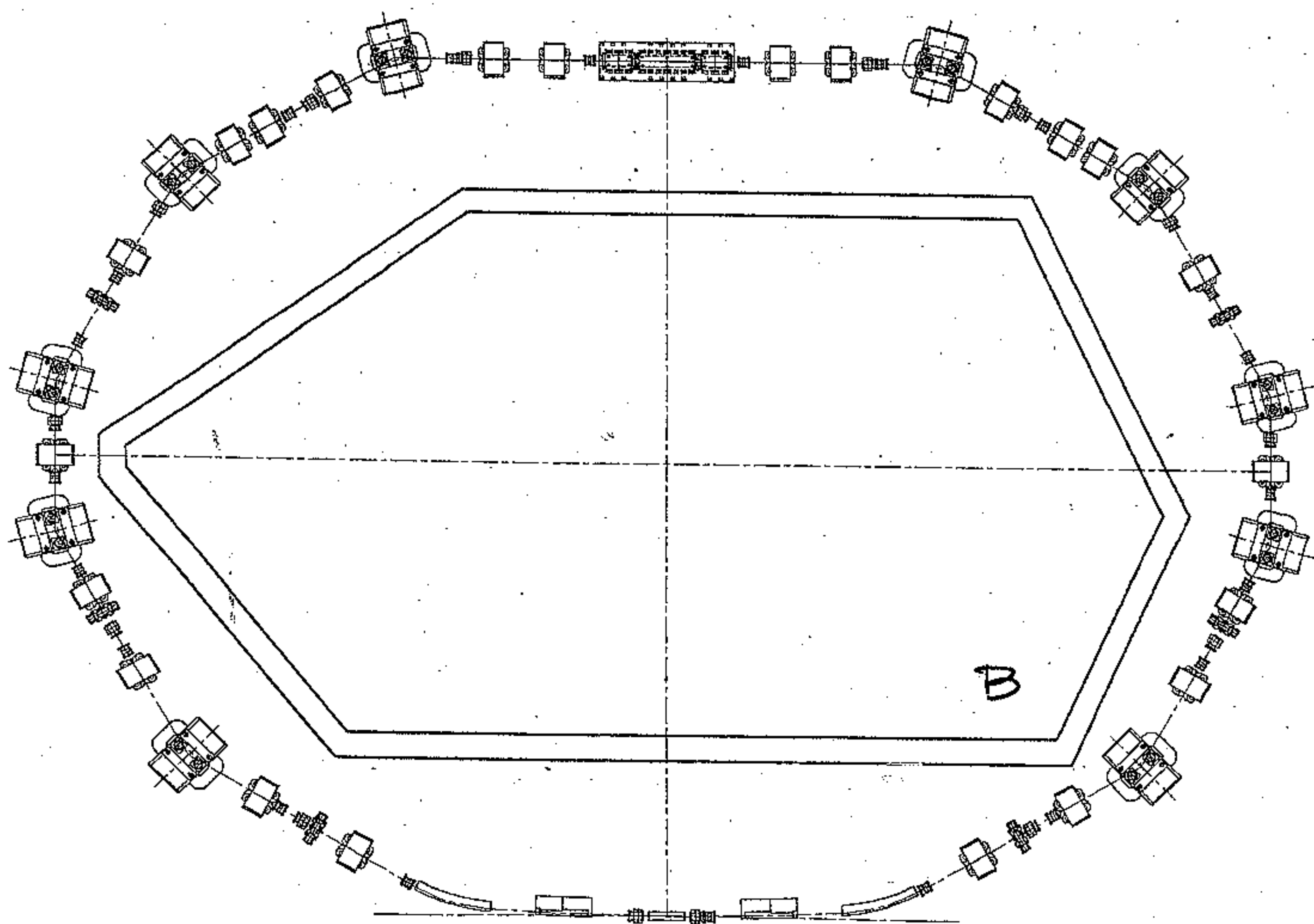
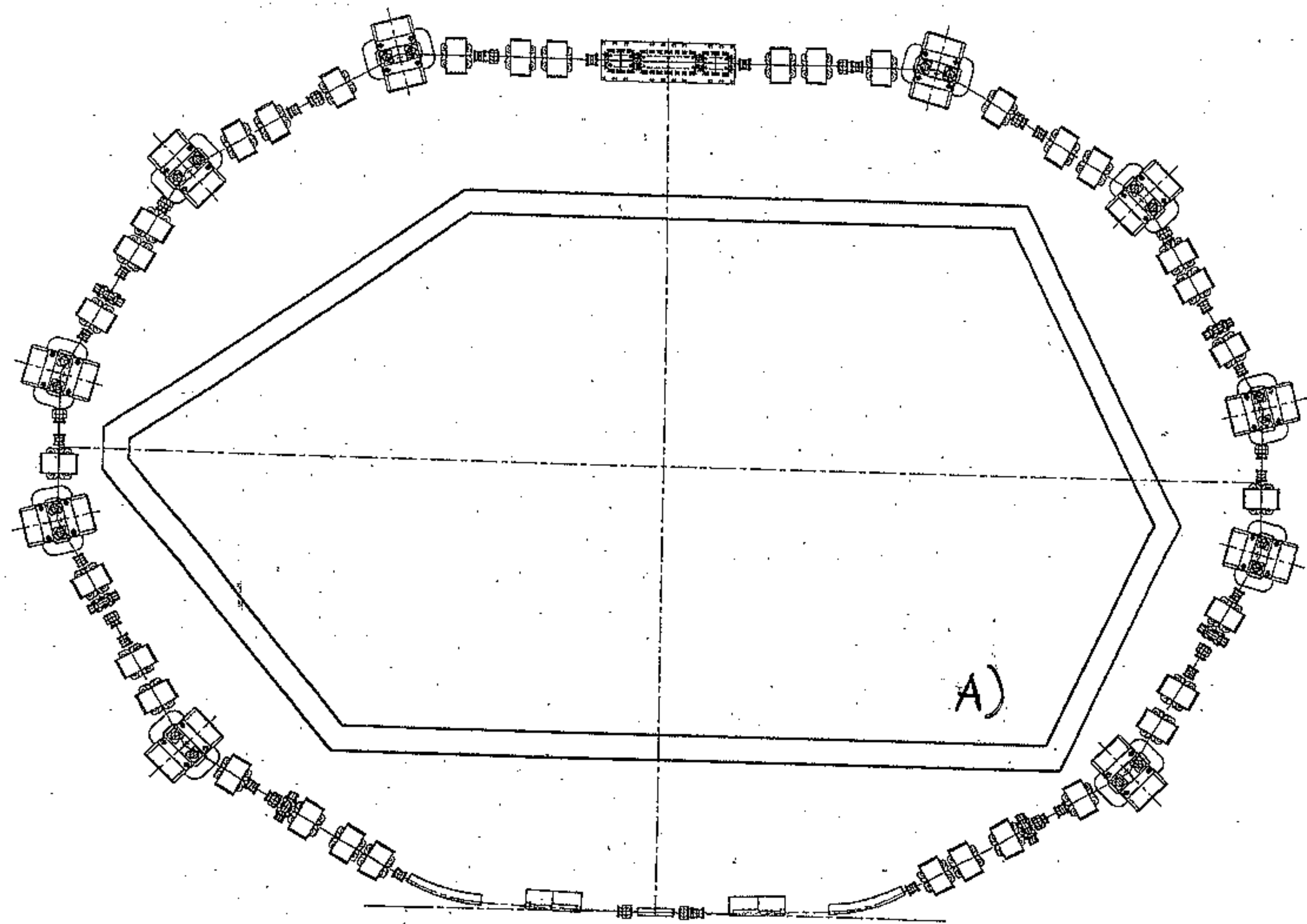


DELAY LOOP

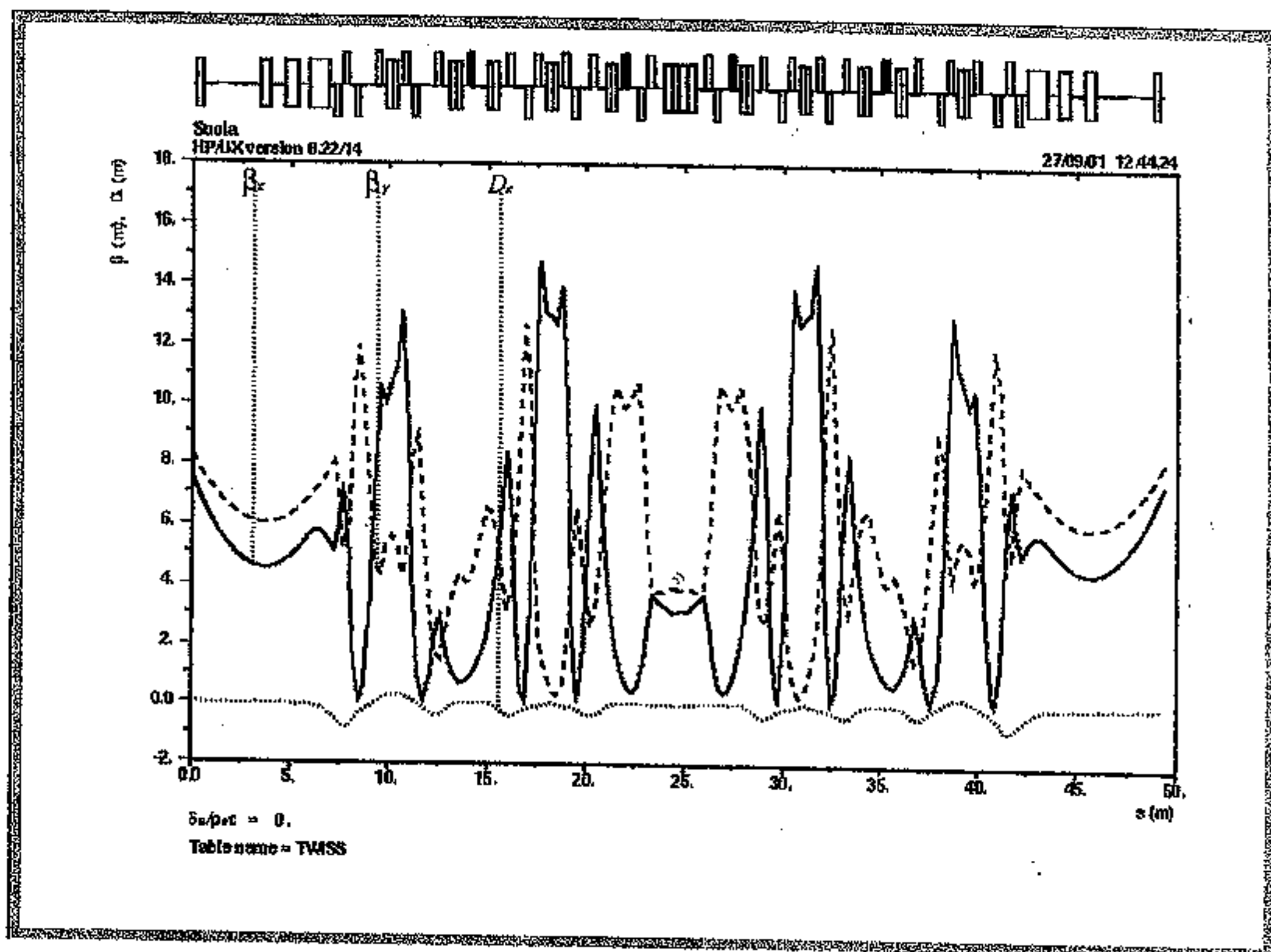


Principle of x2 bunch frequency multiplication in the DL

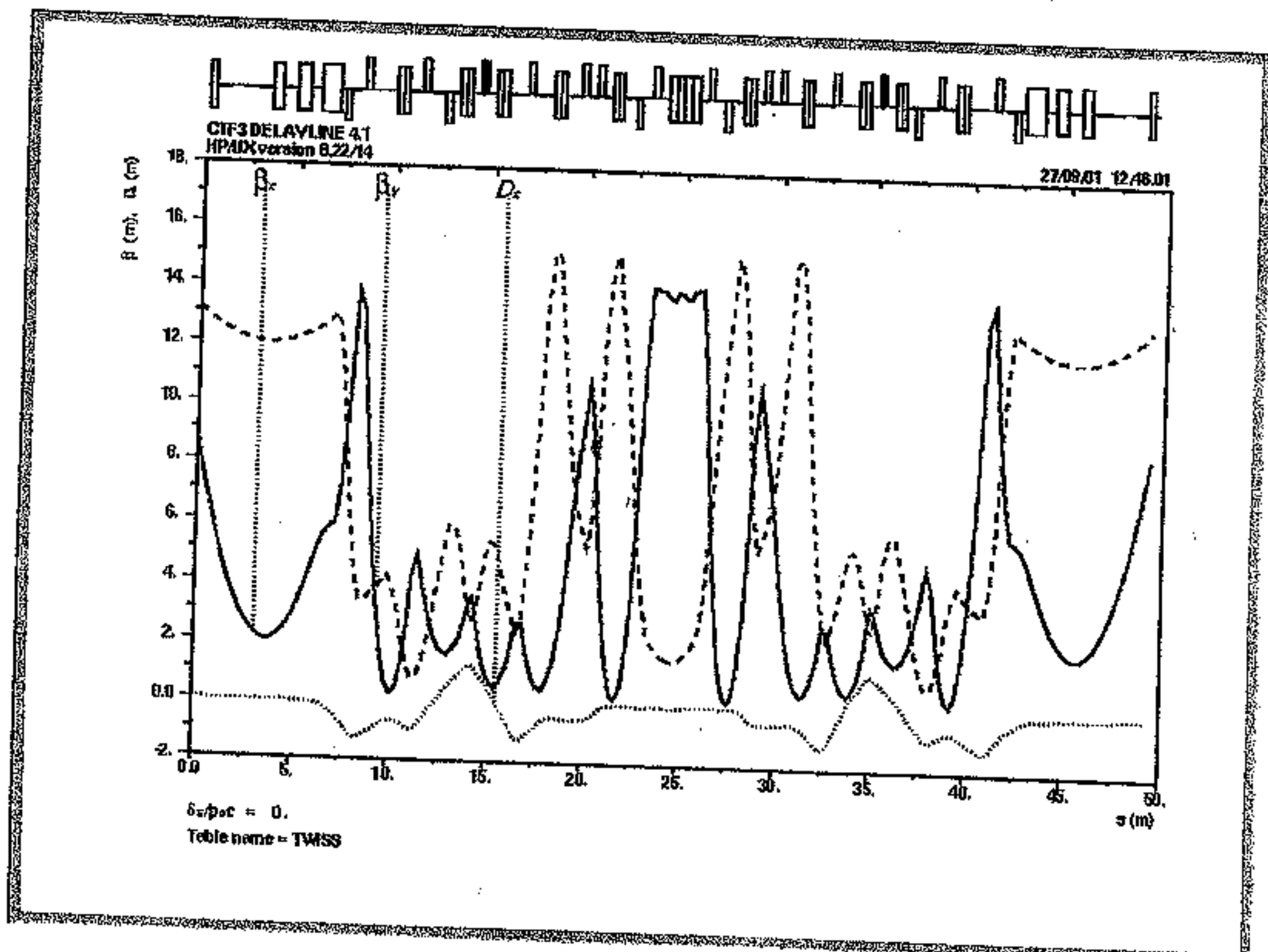




Delay Loop Optical Functions – Solution A



Delay Loop Optical Functions – Solution B



Delay Loop Linear Lattice

$$ct = (ct)_0 + R_{56} \frac{\Delta p}{p}$$

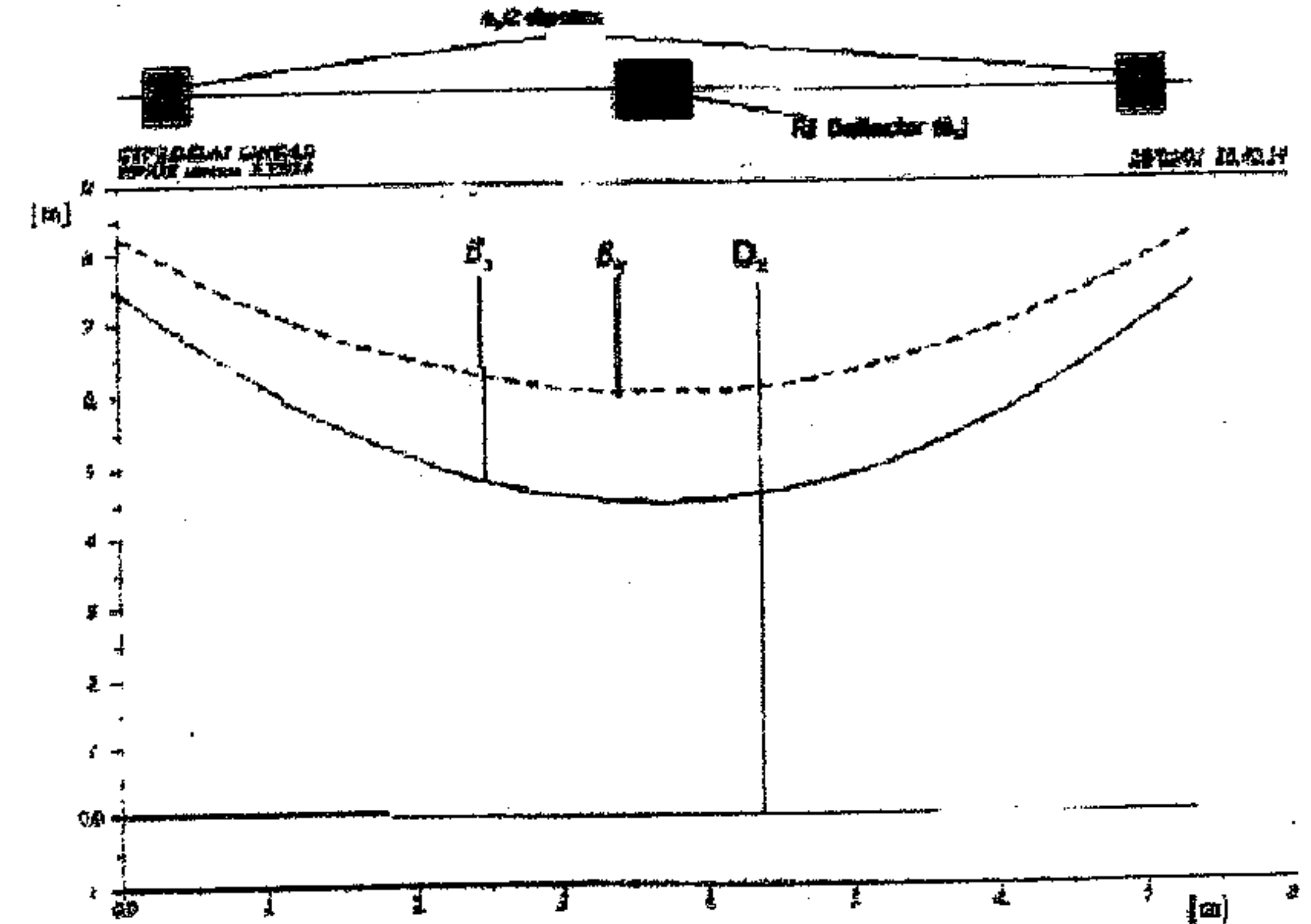
$$R_{56} = \int \frac{D_x}{\rho} ds = 0$$

$$|\alpha_p| \leq 5 \cdot 10^{-4} \quad |R_{56}| \leq 2.1 \cdot 10^{-2} \text{ m}$$

Main Parameters

	A)	B)
Max. Horizontal Beta [m]	14.8	11.5
Max. Vertical Beta [m]	12.7	14.5
Max. Dispersion [m]	0.85	1.3
Horizontal Betatron Tune	5.90	4.0
Vertical Betatron Tune	2.19	1.4
Horizontal chromaticity	-18.9	-6.4
Vertical chromaticity	-10.2	-8.6

Even Bunches Line Matching



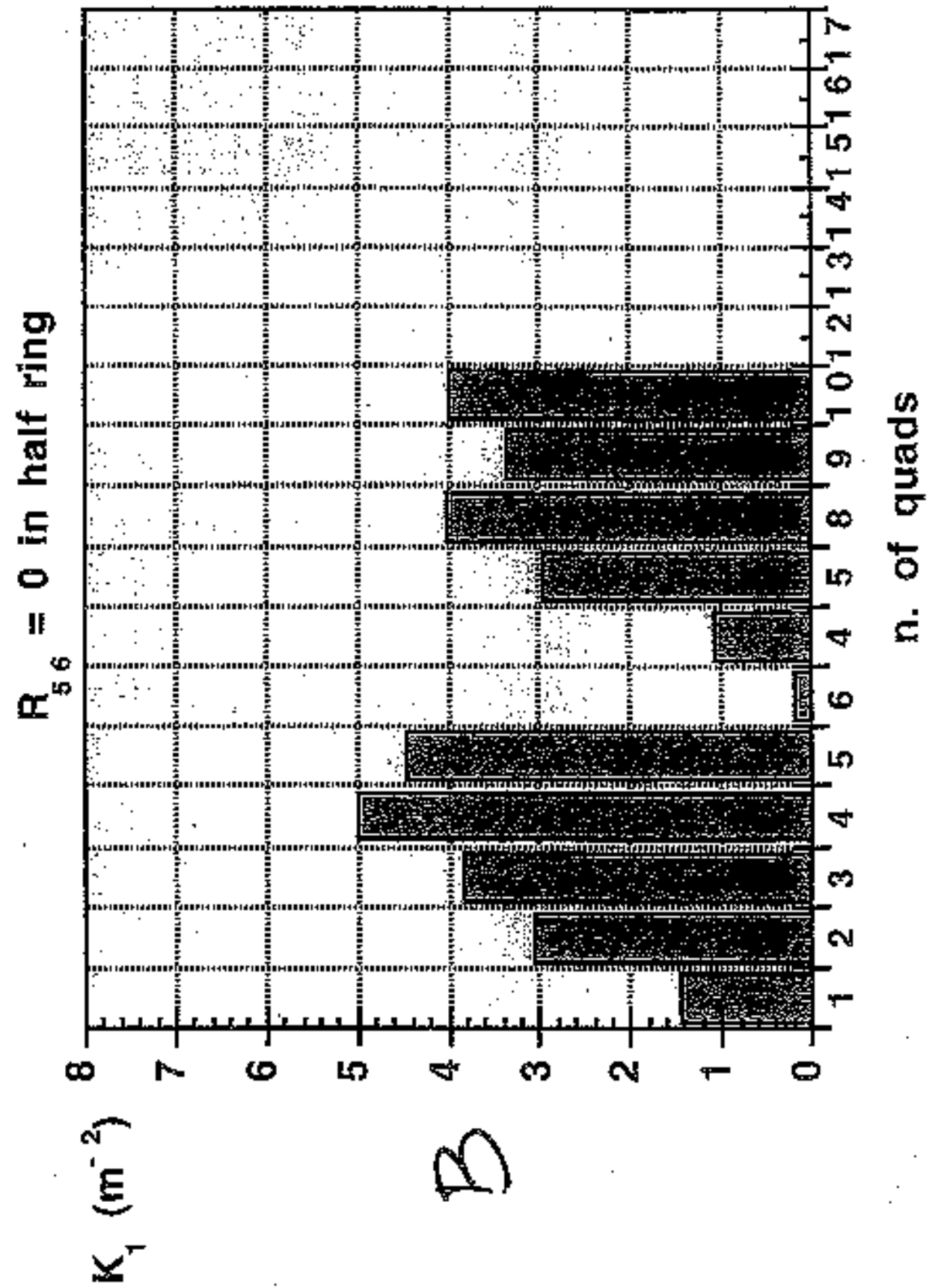
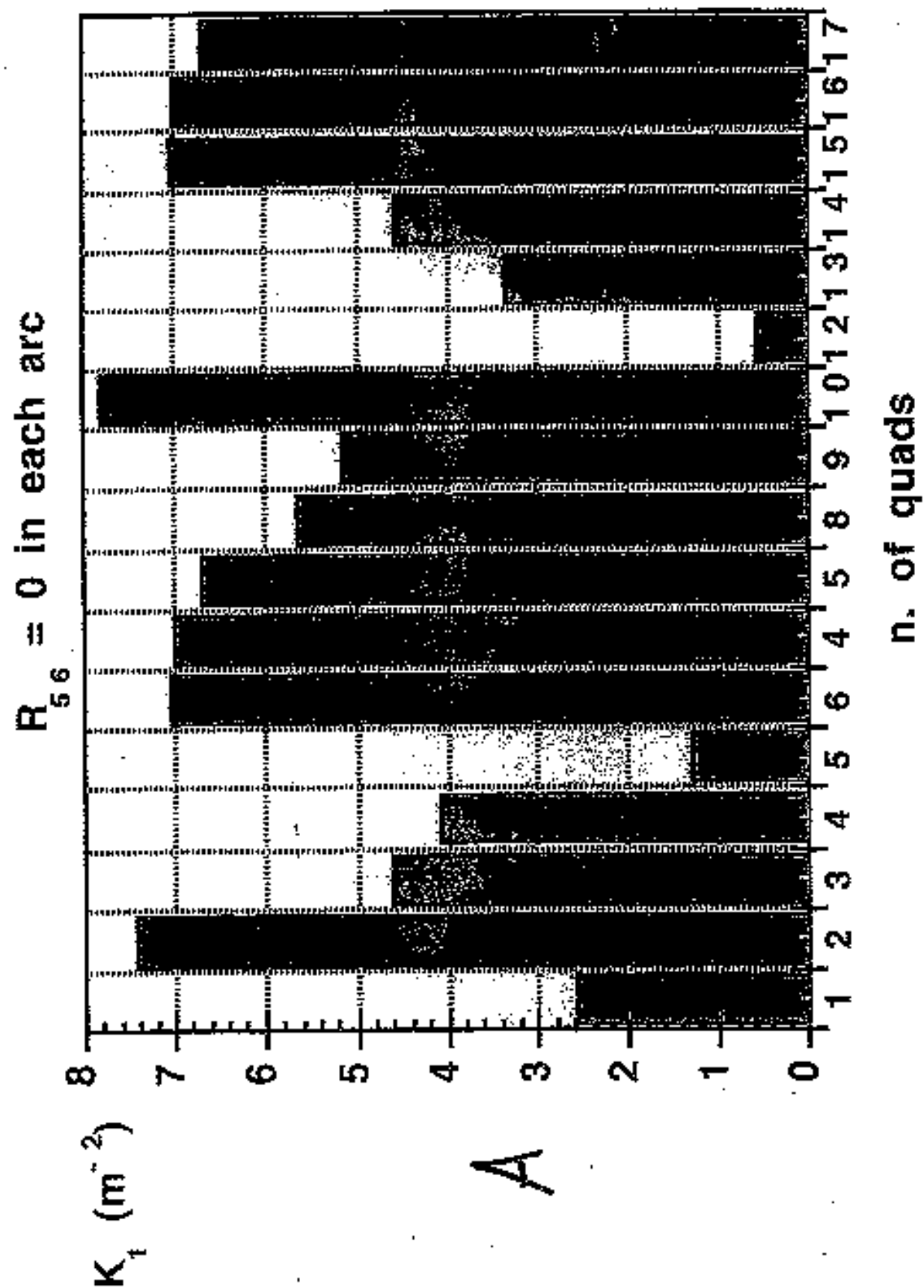
Even Bunches Line Optical Functions

Dispersion is self-matched and beta functions and derivatives present the same values of the ones seen by the odd bunches at the end of the DL

The Isochronicity condition is not completely fulfilled but the very small value of R_{56} at the line output (0.2 mm) does not require any particular care

Delay Loop Magnetic Elements

	A)	B)
A) Number of Dipoles (EPA-like)	10	10
Dipole Bending Radius [m]	1.079	1.079
Dipole Bending Angle [deg]	30	30
Dipole Field [T] (180/350 MeV)	0.60/1.1	0.60/1.1
Integrated Quadrupole Coeff. in Dipoles [T] (180/350 MeV)	0.2/0.4	0.2/0.4
B) Number of Quadrupoles (DAΦNE Accumulator-like)	34	22
Max. Integrated Gradient [T] (180/350 MeV)	1.4/2.7	0.9/1.3
Quadrupole Families (minimum/preferred)	14/18	11
C) Number of Sextupoles (DAΦNE Accumulator-like)	10	?
Max Integrated Gradient [T/m] (180/350 MeV)	11/22	?
Sextupole Families	5	?
D) Number of Path Length Tuning Wiggler	1	1
E) Number of 2° Septa (DAΦNE Accumulator-like)	2	2
F) Number of 27°.14 Septa (DAΦNE Accumulator-like)	2	2
G) Injection Dipoles Number	2	2
Injection Dipoles Bending Angle [mrad]	5	5



Second Order Isochronicity

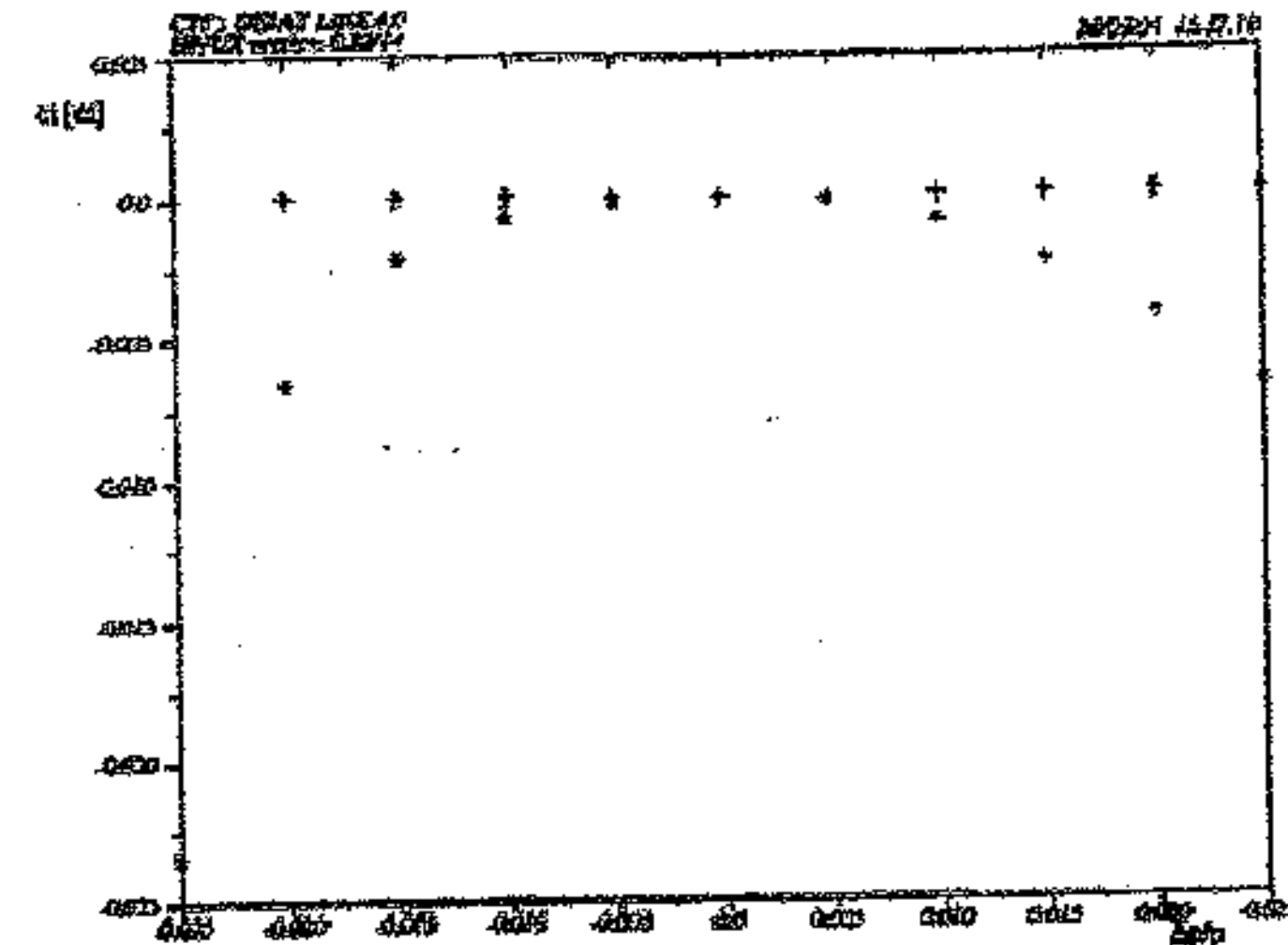
$$ct = (ct)_0 + R_{56} \frac{\Delta p}{p} + T_{516} x_0 \frac{\Delta p}{p} + T_{526} x'_0 \frac{\Delta p}{p} + T_{536} y_0 \frac{\Delta p}{p} + T_{546} y'_0 \frac{\Delta p}{p} + T_{556} (ct)_0 \frac{\Delta p}{p} + T_{566} \left(\frac{\Delta p}{p} \right)^2$$

T_{ijk} elements of the second order transfer matrix

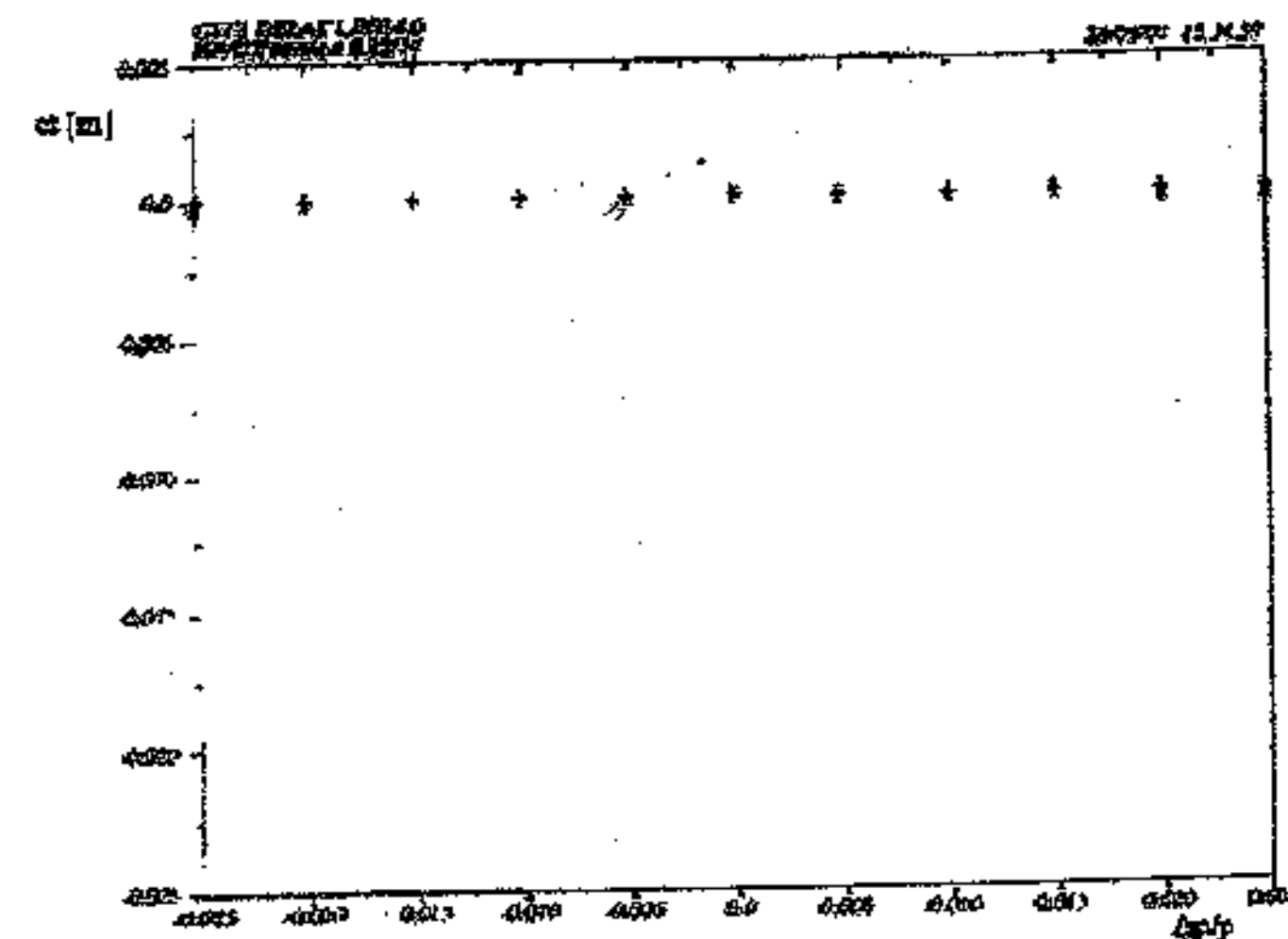
Isochronicity is achieved when:

$$T_{5i6} = 0 \quad \forall i$$

⇒ Need of strong focusing sextupoles

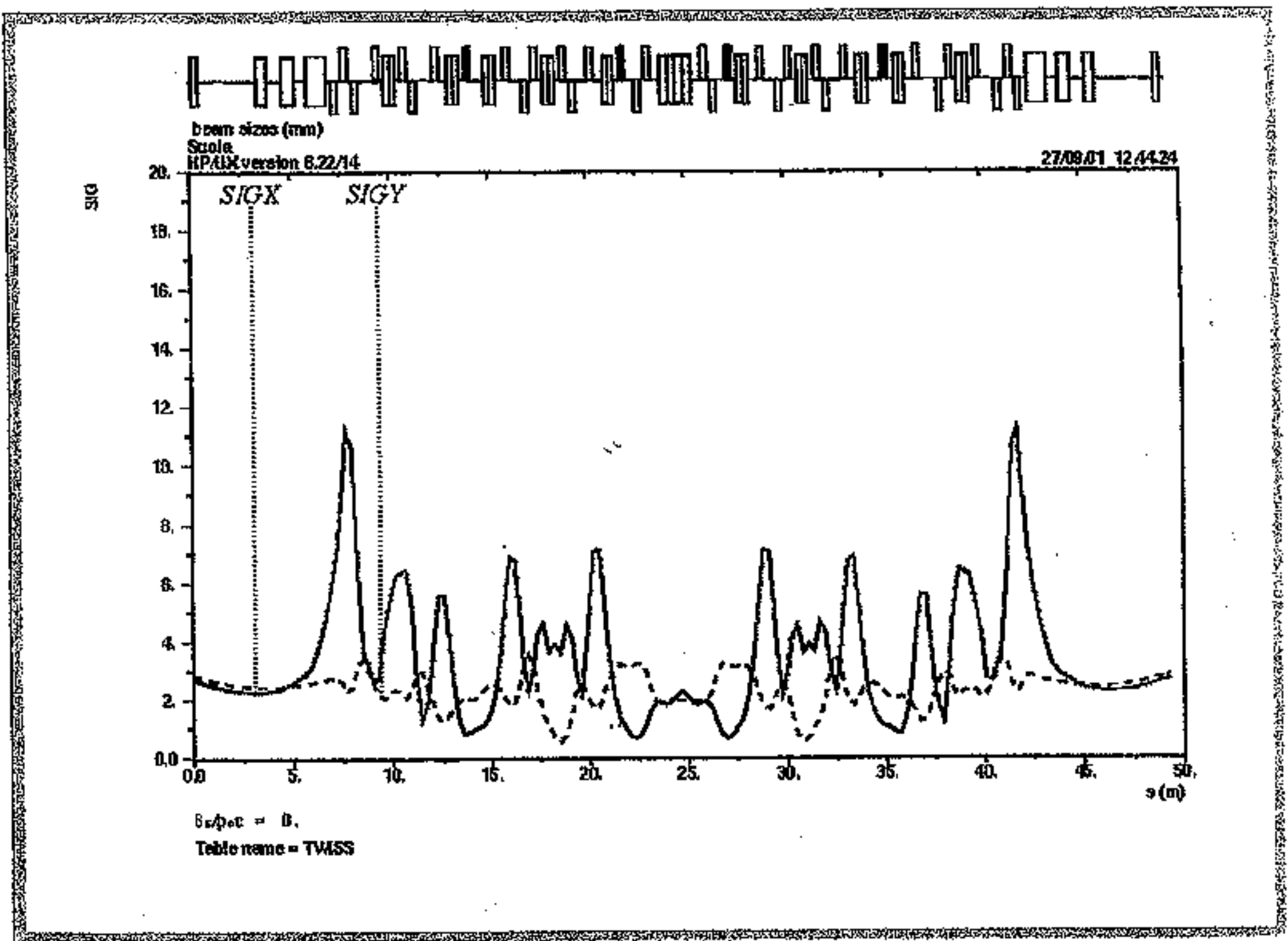


Off-energy Particles Longitudinal Position at DL Input (Crosses) and Output (Dots)
First Order Correction

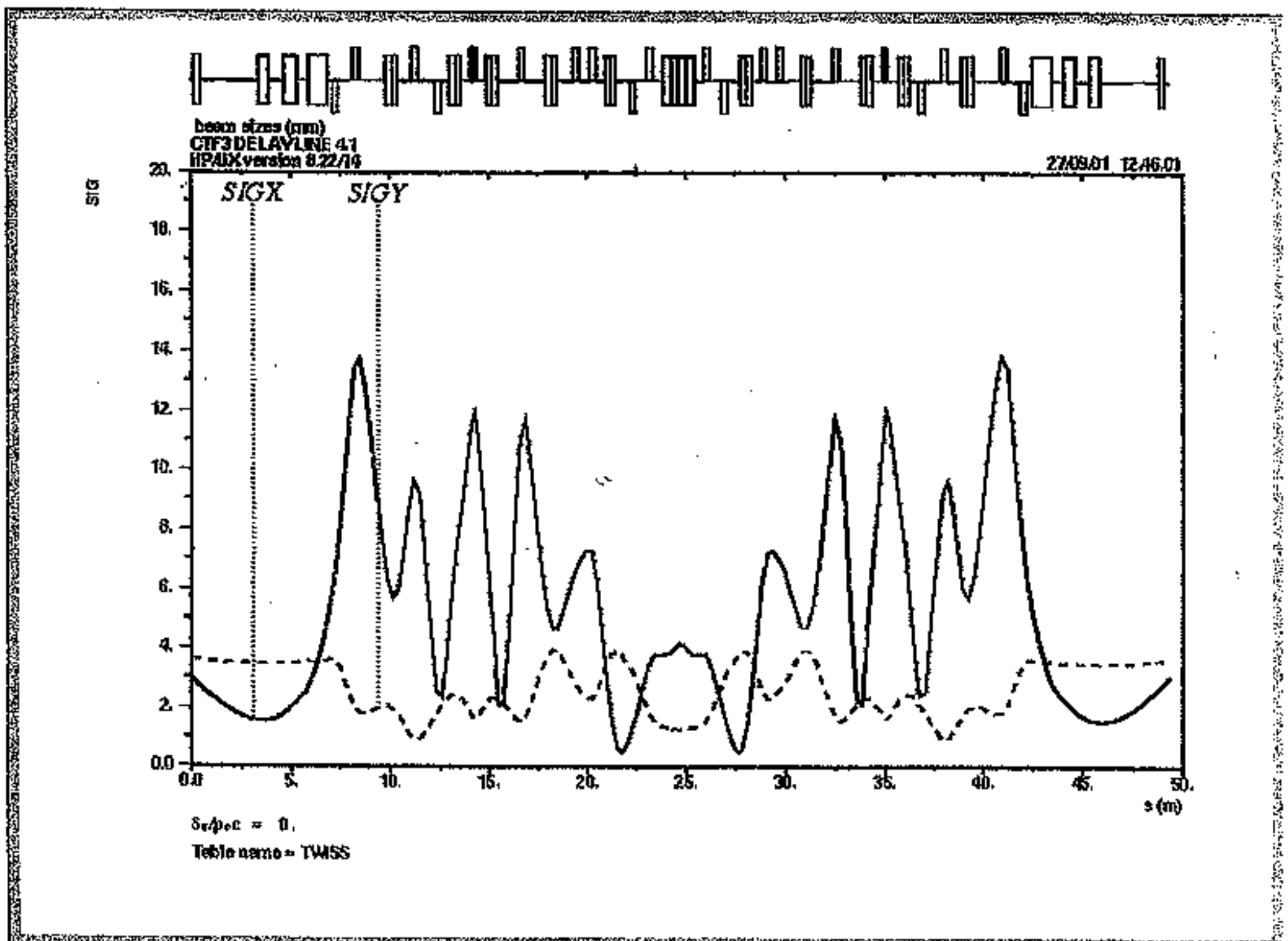


Second Order Correction

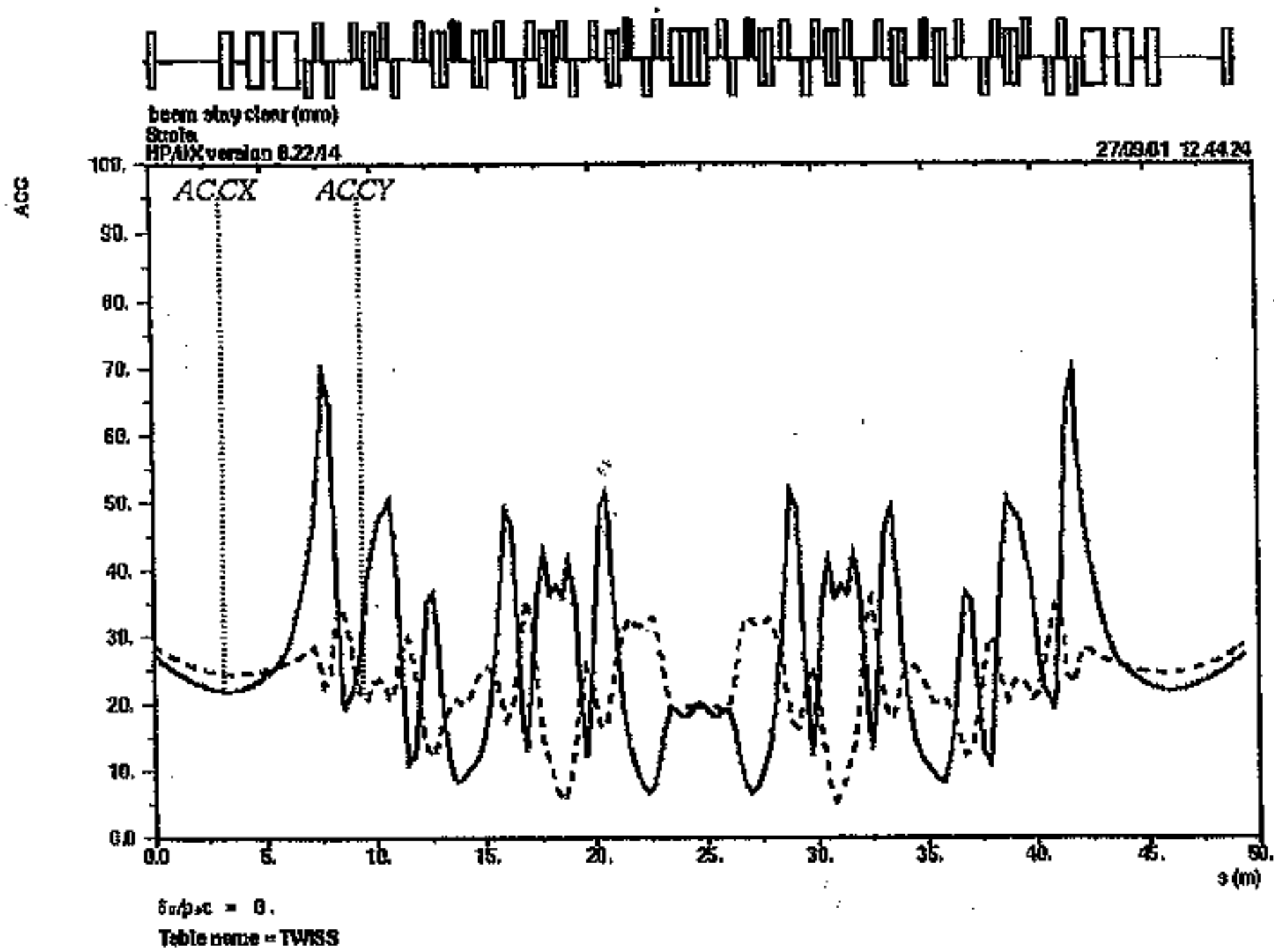
Delay Loop Beam sizes – Solution A



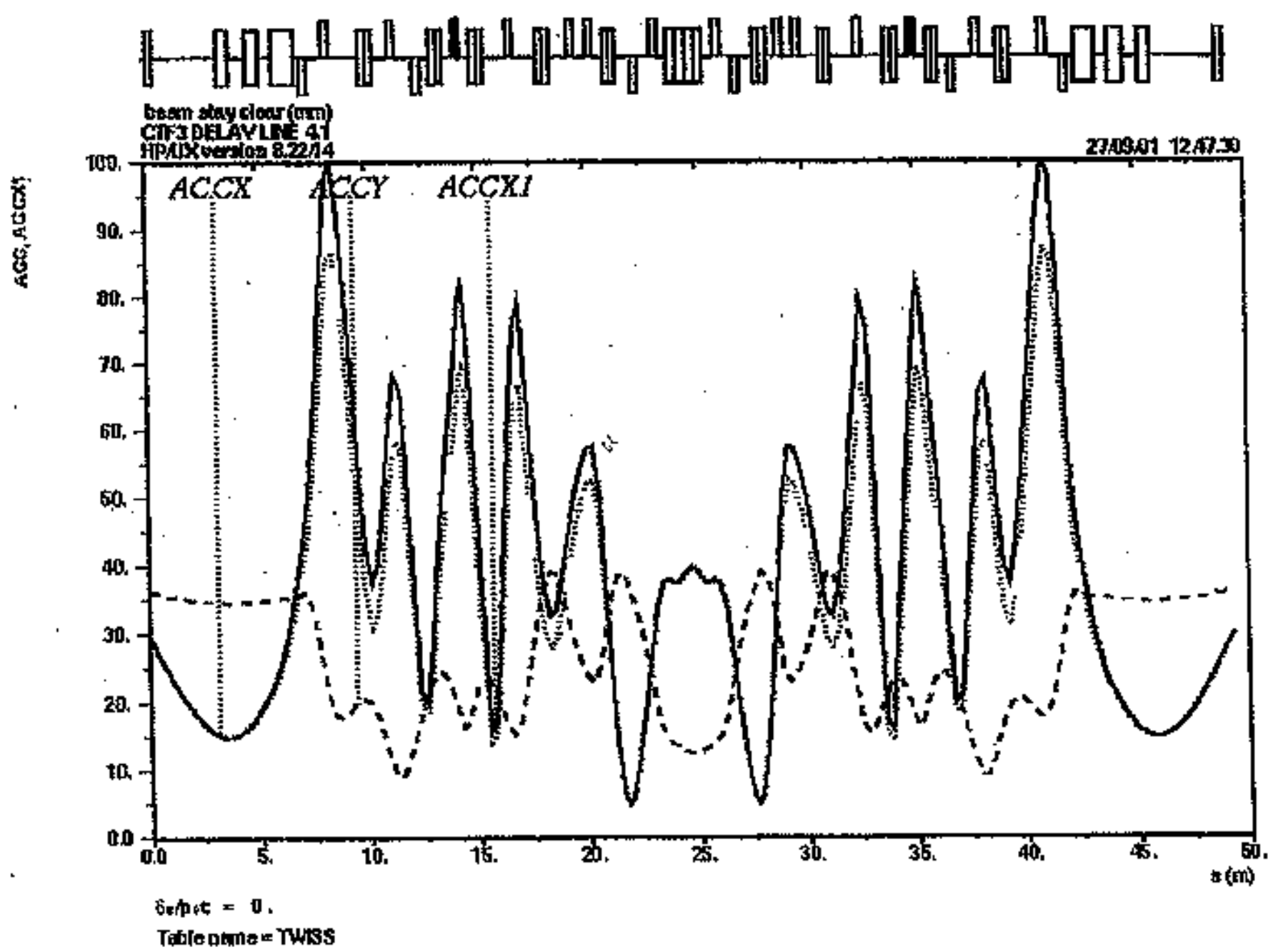
Delay Loop Beam sizes – Solution B



Delay Loop Beam Stay Clear – Solution A



Delay Loop Beam Stay Clear – Solution B



Work in progress

- Six-dimension particle tracking
- Definition of corrector dimensions + positioning of the monitors + analysis of other kind of errors (dipole misalignments, dipole and quadrupole field errors, monitor errors,...) + trajectory correction in the combiner ring without the option of storing the beam
- Solution B for the Delay Loop
- Storage ring option for the Combiner Ring

Combiner ring => Storage ring

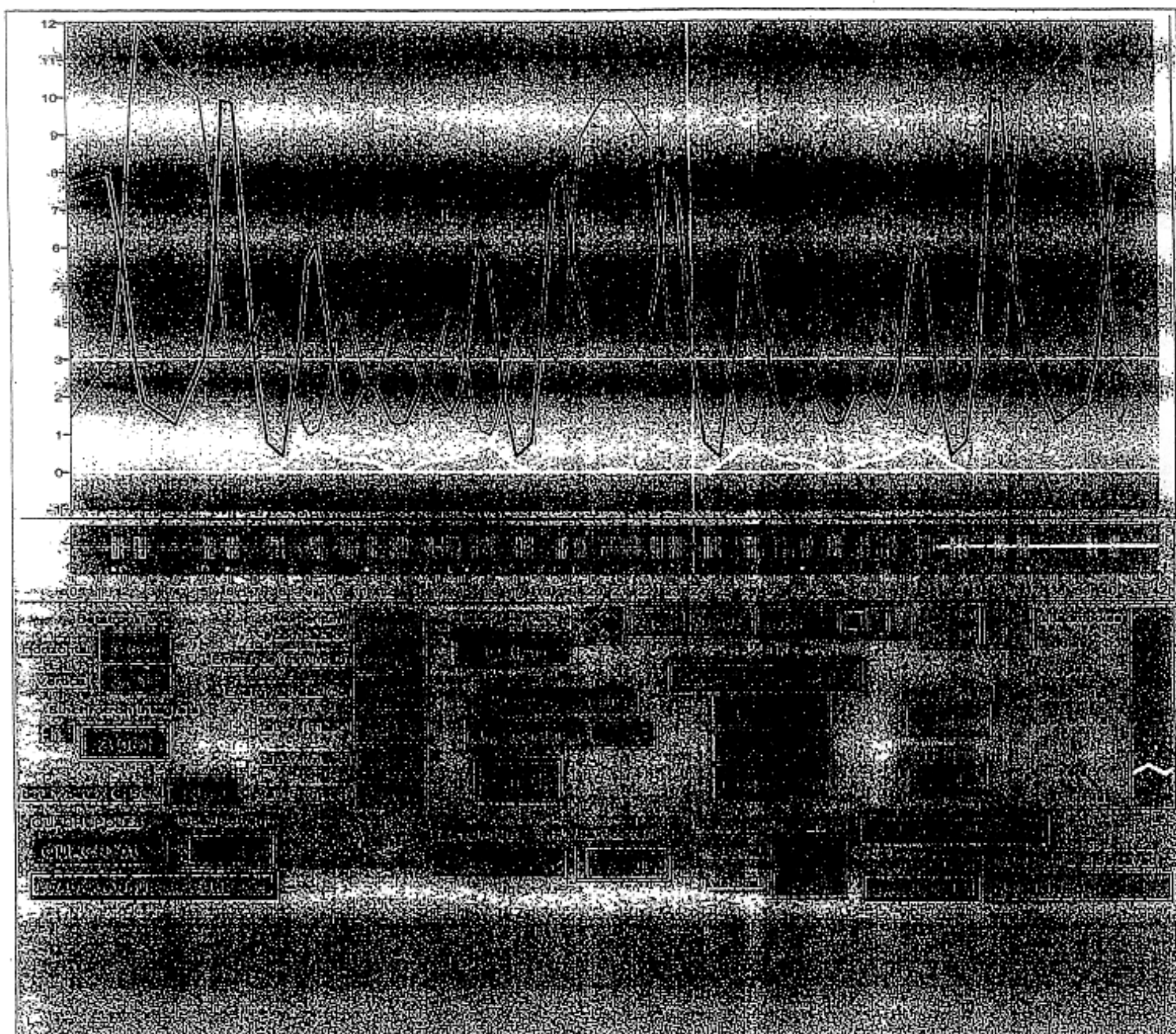
Storing a beam would allow DC measurements of orbit and betatron functions (machine modelling), although the lattice for beam storing has to be modified with respect to the nominal one since it cannot be isochronous.

The RF system design is based on a single-cell cavity already available at LNF. In order to contain cost and complexity of the system, a moderate gradient is foreseen, obtainable with a simple (and cheap) RF power source (such as solid state amplifier).

It can be installed in the extraction region, symmetric to the extraction kicker.

RF System

Parameter	Symbol	Value
Frequency	f_0	356.8 MHz
Harmonic number	h	100
Voltage	V_{RF}	≈ 70 kV
Shunt impedance	R_S	≈ 2.5 M Ω
RF power	P_{RF}	≈ 1 kW
Beam current (s.b.)	I_b	≈ 3.5 mA



$$E = 350 \text{ MeV}$$

$$\alpha_c = 0.0025$$

$$\frac{\Delta E}{E} = 2.9 \cdot 10^{-4}$$

$$\varepsilon = 5.3 \cdot 10^{-9} \text{ m.rad}$$

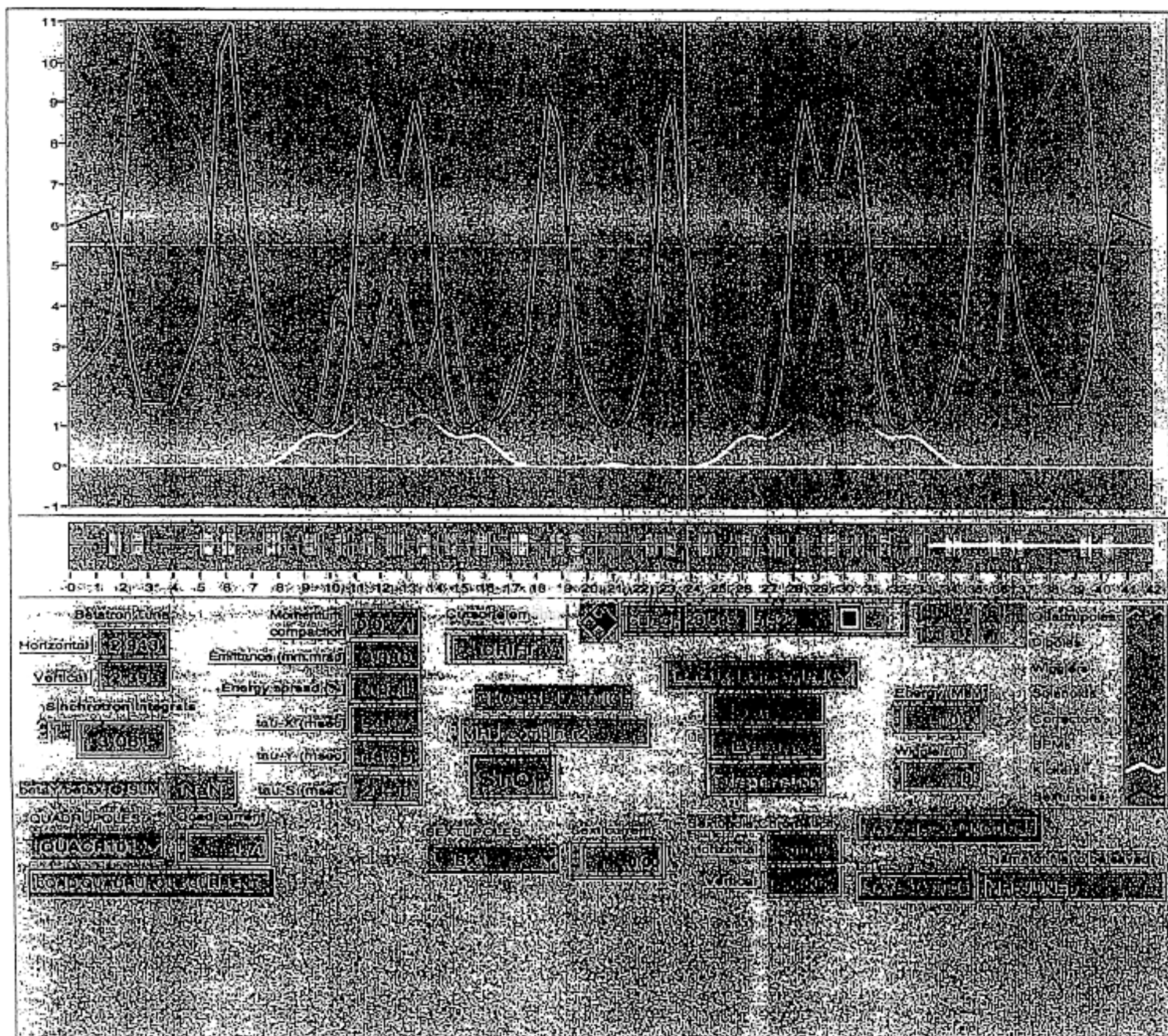
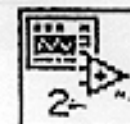
$$\sigma_L = 4 \text{ mm}$$

$$V_{\text{loss}} < 40 \text{ keV}$$

$$\tau_T \approx 100 \text{ ns}$$

(10% coupling)

$$\sim 1 \text{ nC (3.5 mA)}$$



$$E = 350 \text{ MeV}$$

$$\alpha_c = 0.027$$

$$\frac{\Delta E}{E} = 2.9 \cdot 10^{-4}$$

$$\varepsilon = 3.8 \cdot 10^{-8} \text{ m.rad}$$

$$\sigma_L = 12 \text{ mm}$$

$$V_{\text{loss}} < 17 \text{ keV}$$

$$\tau_T \approx 1000 \text{ ns}$$

(10% coupling)

High momentum compaction lattice

Parameter	Symbol	Value
Energy	E	350 MeV
Momentum compaction	α_c	$2.7 \cdot 10^{-2}$
Energy spread	σ_E/E	$2.9 \cdot 10^{-4}$
Emittance	ε	$3.8 \cdot 10^{-8}$ m rad
Bunch length	σ_z	12 mm
Beam losses (@ $q_b \approx 1$ nC)	V_{loss}	< 17 keV
Touschek lifetime	τ_T	≈ 1000 s

Low momentum compaction lattice

Parameter	Symbol	Value
Energy	E	350 MeV
Momentum compaction	α_c	$2.5 \cdot 10^{-3}$
Energy spread	σ_E/E	$2.9 \cdot 10^{-4}$
Emittance	ε	$5.3 \cdot 10^{-9}$ m rad
Bunch length	σ_z	4 mm
Beam losses (@ $q_b \approx 1$ nC)	V_{loss}	< 40 keV
Touschek lifetime	τ_T	≈ 100 s